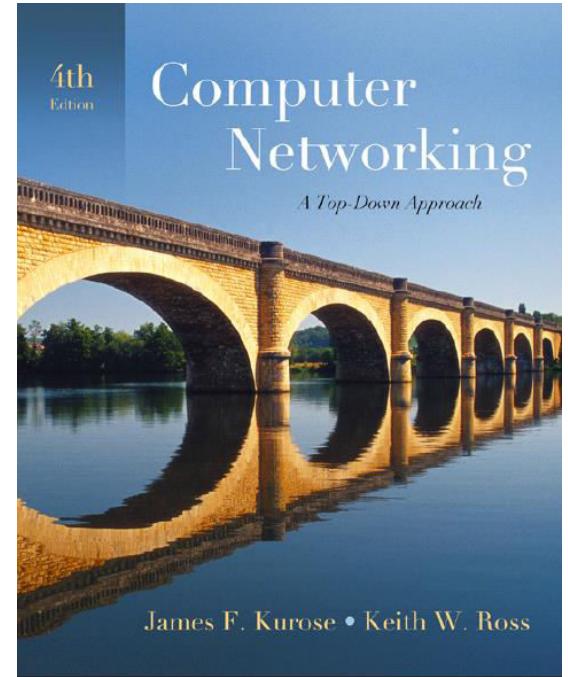


# KOLOKVIJUM-1

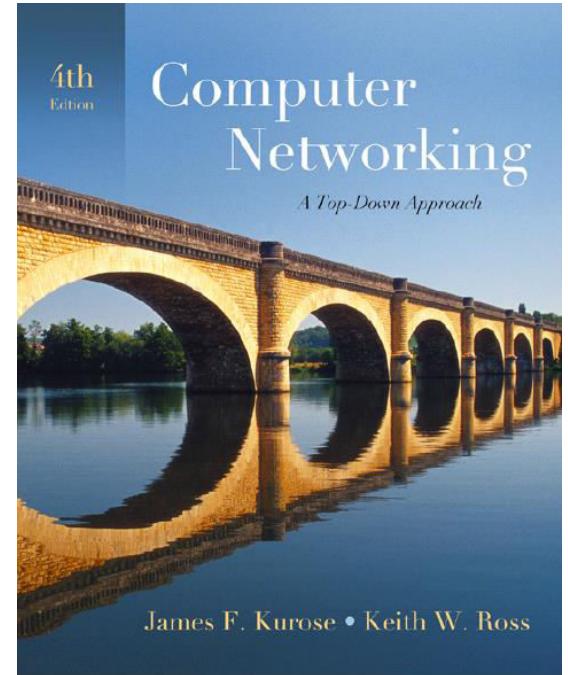
MREŽNO RAČUNARSTVO  
3- GODINA



*Computer Networking:  
A Top Down Approach ,  
4<sup>th</sup> edition.  
Jim Kurose, Keith Ross  
Addison-Wesley, July  
2007.*

# Chapter 1

## Introduction

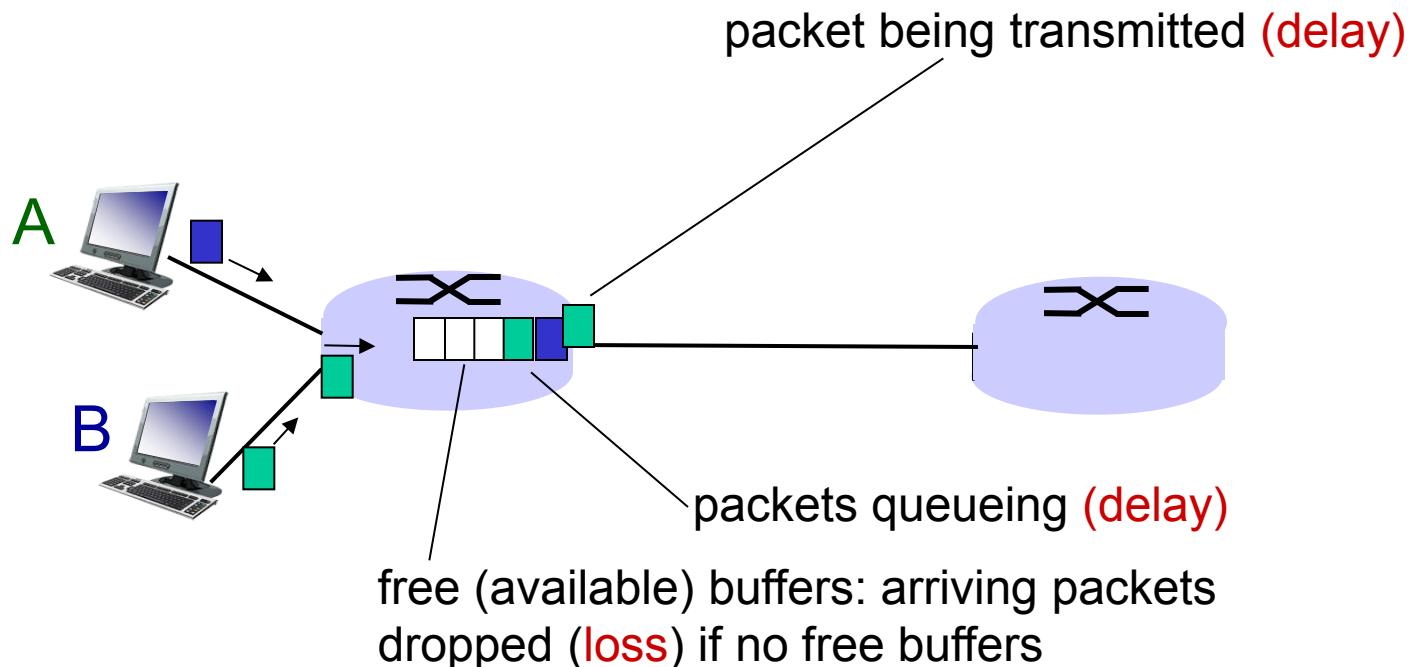


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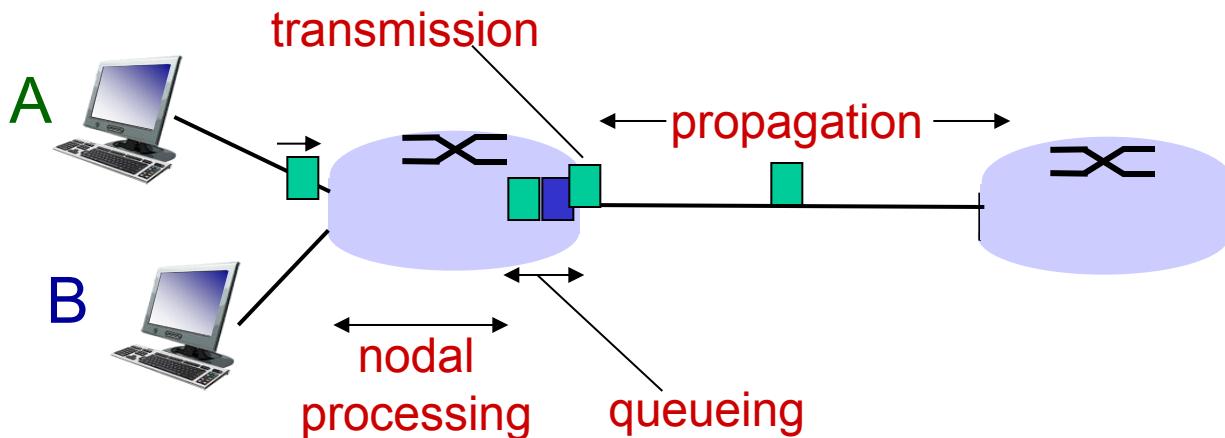
# How do loss and delay occur?

packets queue in router buffers

- ❖ packet arrival rate to link (temporarily) exceeds output link capacity
- ❖ packets queue, wait for turn



# Four sources of packet delay



$$d_{\text{nodal}} = d_{\text{proc}} + d_{\text{queue}} + d_{\text{trans}} + d_{\text{prop}}$$

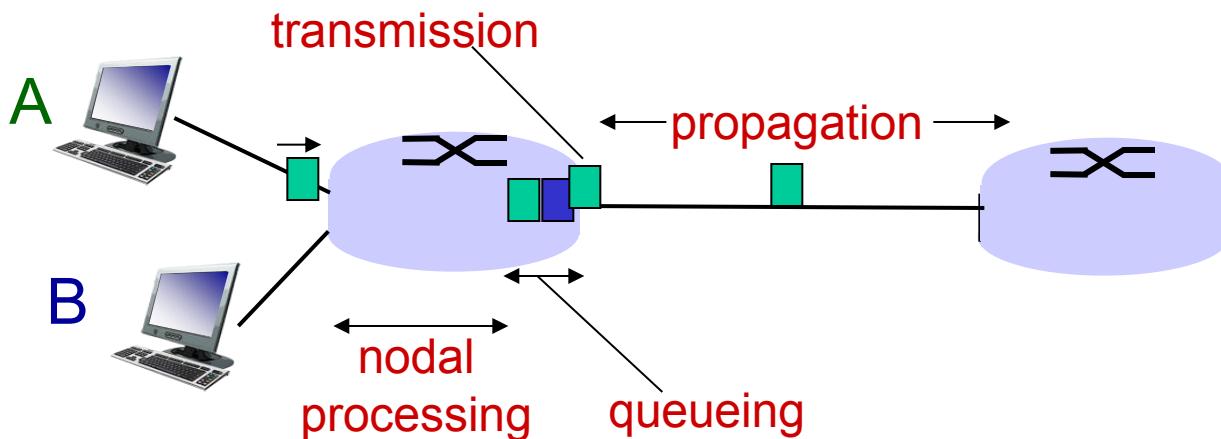
$d_{\text{proc}}$ : nodal processing

- check bit errors
- determine output link
- typically < msec

$d_{\text{queue}}$ : queueing delay

- time waiting at output link for transmission
- depends on congestion level of router

# Four sources of packet delay



$$d_{\text{nodal}} = d_{\text{proc}} + d_{\text{queue}} + d_{\text{trans}} + d_{\text{prop}}$$

$d_{\text{trans}}$ : transmission delay:

- $L$ : packet length (bits)
- $R$ : link bandwidth ( $\text{bps}$ )
- $d_{\text{trans}} = L/R$

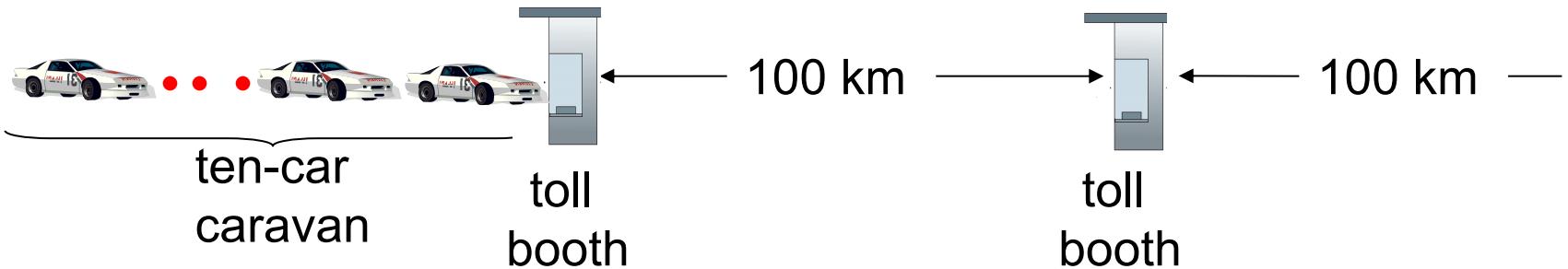
$d_{\text{trans}}$  and  $d_{\text{prop}}$   
very different

$d_{\text{prop}}$ : propagation delay:

- $d$ : length of physical link
- $s$ : propagation speed in medium ( $\sim 2 \times 10^8 \text{ m/sec}$ )
- $d_{\text{prop}} = d/s$

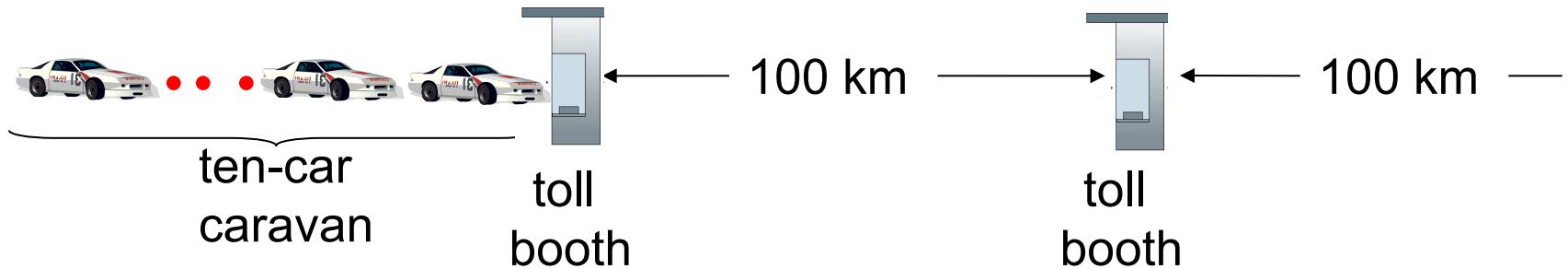
\* Check out the Java applet for an interactive animation on trans vs. prop delay

# Caravan analogy



- ❖ cars “propagate” at 100 km/hr
- ❖ toll booth takes 12 sec to service car (bit transmission time)
- ❖ car~bit; caravan ~ packet
- ❖ Q: How long until caravan is lined up before 2nd toll booth?
  - time to “push” entire caravan through toll booth onto highway =  $12*10 = 120$  sec
  - time for last car to propagate from 1st to 2nd toll both:  
 $100\text{km}/(100\text{km/hr}) = 1\text{ hr}$
  - A: 62 minutes

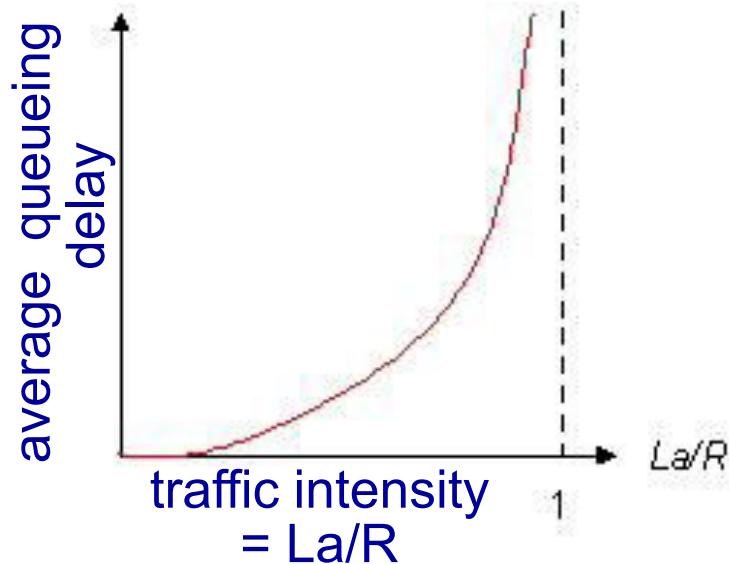
# Caravan analogy (more)



- ❖ suppose cars now “propagate” at 1000 km/hr
- ❖ and suppose toll booth now takes one min to service a car
- ❖ **Q:** Will cars arrive to 2nd booth before all cars serviced at first booth?
  - **A: Yes!** after 7 min, 1st car arrives at second booth; three cars still at 1st booth.

# Queueing delay (revisited)

- ❖  $R$ : link bandwidth (bps)
- ❖  $L$ : packet length (bits)
- ❖  $a$ : average packet arrival rate



- ❖  $La/R \sim 0$ : avg. queueing delay small
- ❖  $La/R \rightarrow 1$ : avg. queueing delay large
- ❖  $La/R > 1$ : more “work” arriving than can be serviced, average delay infinite!



$La/R \sim 0$



$La/R \rightarrow 1$

\* Check out the Java applet for an interactive animation on queuing and loss

# Zadaci

1. Zamislite slanje paketa od  $F$  bitova putanjom od  $Q$  linkova brzine prenosa  $R$  [b/s]. Mreža je samo blago opterećena tako da nema kašnjenja usled stajanja u redu. Kašnjenje usled propagacije je bezbačajno.
  - a. Pretpostavimo da je u pitanju mreža sa komitiranjem paketa i virtuelnim kolima. Neka trajanje pripreme virtualnih kolima. Neka trajanje pripreme virtualnih kola bude  $ts$  sekundi. Pretpostavimo i to da izvorni slojevi dodaju ukupno  $h$  bitov zaglavljva svakom paketu. Koliko je vremena potrebno za slanje ove datoteke od izvora do odredišta?
  - b. Pretpostavimo da je u pitanju mreža sa datagramima i komutiranjem paketa, da se koristi usluga bez konenkcije, kao i to da svaki paket ima zaglavljje dužie  $2h$ . Koliko je vremena sada potrebno za slanje paketa?
  - c. Konačno, pretpostavimo da je reč o mreži sa komutiranjem vodova i da brzina prenosa između izvora i odredišta iznosi  $R$  [b/s]. Ukoliko je  $ts$  trajanje priprime veze, a  $h$  broj bitova zaglavljje koje se dodaje čitavom paketu. Koliko je vremena potrebno za slanje ovog paketa?

a) vreme neophodno za transfer paketa kroz jedan link je:

$$(L + h) / R.$$

Vreme neophodno za prenos kroz Q linkova je:

$$Q(L + h) / R.$$

Možemo napisati izraz koji sumira tj. obuhvata date oblike kašnjenja:  $t_s + Q(L + h) / R$ .

b)  $Q(L + 2h) / R$

c) Nema store-and-forward kašnjenja prilikom transfera. Možemo napisati sledeći izraz za ukupno kašnjenje.

$$t_s + (h + L) / R.$$

2. Dva centralna aspekta umrežavanja su kašnjenje usled propagacije i kšnjenje usled prenosa. Zamislite dva računara A i B koji su povezani jednim linkom čija je brzina prenosa  $R$  b/s. Pretpostavimo da su ova dva računara međusobno udaljena  $m$  metara i da je brzina propagacije linka s metara u sekundi. Računar A treba da pošalje paket dužine  $L$  bitova računaru B.
- Izrazite kašnjenje ulsed propagacije  $dprop$  u funkciji  $m$  i  $s$ .
  - Odredite trajne prenosa paketa  $dprenos$  u odnosu na  $L$  i  $R$ .
  - Zanemarujući kašnjenje ulsed obrade i stajanja u redu, napišite izraz za kašnjenje od jednog do drugog kraja.
  - Oderdite udaljenost  $m$  tako da  $dprop$  bude jednak sa  $dprenos$ .

Rešenje:

a)  $d_{prop} = m / s ; [s].$

b)  $d_{trans} = L / R ; [s].$

c)  $d_{end-to-end} = (m / s + L / R); [s].$

g)  $m = \frac{L}{R} S ; [m].$

3. Na primer možemo posmatrati link kapaciteta 1 Mb/s. Kada su korisnici aktivni, oni stvaraju saobraćaj od 100 kb/s, , ali verovatnoća njihove aktivnosti je samo  $p=0,1$ . Pretpostavimo sada da se link od 1Mb/s zameni linkom od 1Gb/s.
- a. Koliko je  $N$ , tj. maksimalan broj korisnika koje komutiranje vodova može da podrži istovremeno?
  - b. Pretpostavimo da je u pitanju mreža sa komutiranjem paketa od  $M$  korisnika. Napišite formulu (u funkciji  $p$ ,  $M$ ,  $N$ ) za izračunavanje verovatnoće da više od  $N$  korisnika istovremeno šalje svoje podatke.

Rešenje:

- a) prepostavimo da  $N$  potencijalni korisnik ima mogućnost istovremene realizacije transfera pojedinačnih, kapaciteta od  $100\text{Kb/s}$  kroz link kapaciteta od  $1\text{Gb/s}$ . Približno rešenje je oko 10000 korisnika.

b)

$$\sum_{n=N+1}^M \binom{M}{n} p^n (1-p)^{M-n}$$

4. Uzmimo u obzir stajanje u redu u privremenoj memoriji ruteru (koji prethodi izlaznom linku). Pretpostavimo da je dužina svih paketa  $L$  bitova, brzina prenosa je  $R$  [b/s] i da  $N$  paketa istovremeno stiže u privremenu memoriju svakih  $LN/R$  sekundi. Odredite prosečno kašnjenje paketa usled stajanja u redu.  
(pretpostavimo, kašnjenje usled stajanja u redu prvog paketa je nula, drugog  $L/R$ , trećeg  $2L/R$ .  $N$ -ti paket je već prenet kada u ruter dospe druga serija paketa.)

Neophodno je  $LN/R$  sekundi za prenos  $N$  paketa. Pretpostavka je, da kada grupa od  $N$  paketa stigne do rutera privremena memorija tj. bafer je prazan .

Kašnjenje usled stajanja u redu prvog pakete od  $N$  paketa je nula. Kašnjenje u redu drugog paketa je  $1xL/R$  sekundi, trećeg paketa  $2xL/R$  sekundi itd. Na osnovu prethodnog napisanog, sledi da je kašnjenje  $n$ -og paketa:  $(n-1)L/R$  sekundi.

Na osnovu prethodne analize možemo napisati da je prosečno kašnjenje paketa usled stanja u redu:

$$\frac{1}{N} \sum_{n=1}^N (n-1)L/R = \frac{L}{R} \frac{1}{N} \sum_{n=0}^{N-1} n = \frac{L}{R} \frac{1}{N} \frac{(N-1)N}{2} = \frac{L}{R} \frac{(N-1)}{2} .$$

5. Prepostavimo da računar A do računara B treba poslati veliku datoteku od F bitova. Između računara A i B postoje dva linka (i jedan komutator) koji nisu zagušeni (nema stajanja u redu). Računar A segmentira datoteku na segmente od po S bitova i svakom segmentu dodaje zaglavje od 40 bitova, čime se dobijaju paketi dužine  $L=40+S$  bitova. Brzina prenosa svakog linka iznosi R [b/s]. Pronađite vrednost parametra S koja minimizira kašnjenje prilikom premeštanja datoteke sa računara A na računar B. Zanemarite kašnjenje usled propagacije.

Vreme za koje prvi paket stigne na odredište je:  $\frac{S+40}{R} \times 2$  [s]. Nakon prvog paketa ostali paketi bivaju isporučeni na odredište svakih  $\frac{S+40}{R}$  sekundi. Vreme koje je neophodno za isporučivanje celog fajla je definisano sledećom funkcijom:

$$d_{\text{ukupno}} = \frac{S+40}{R} \times 2 + \left(\frac{F}{S} - 1\right) \times \left(\frac{S+40}{R}\right) = \frac{S+40}{R} \times \left(\frac{F}{S} + 1\right)$$

Da bi definisali minimalnu vrednost kašnjenja, nephodno naći parcijalni izvod po promenljivoj  $S$ . Dati dobijeni brojevni izraz je neophodno izjednačiti sa 0. Zatim možemo definisati promenljivu  $S$ .

$$\frac{\partial(d_{\text{ukupno}})}{\partial S} = 0 \Rightarrow \frac{F}{R} \left( \frac{1}{S} - \frac{40+S}{S^2} \right) + \frac{1}{R} = 0 \Rightarrow S = \sqrt{40F}$$

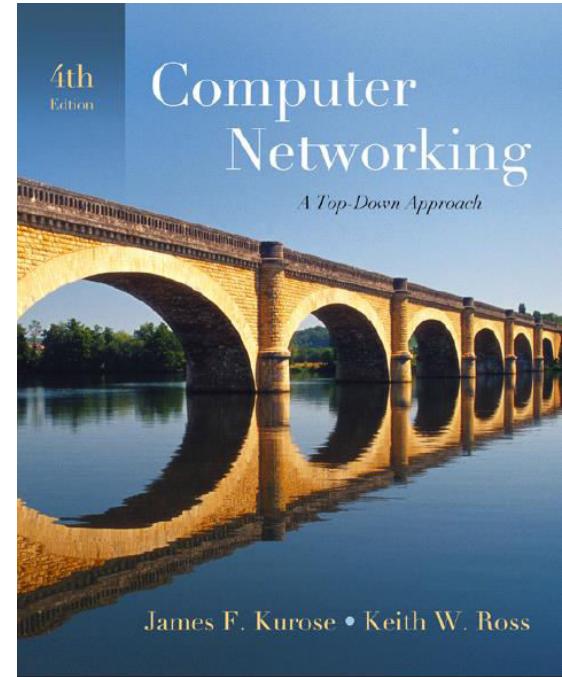


# Chapter 2

## Application Layer

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prof. dr Zlatko Langović

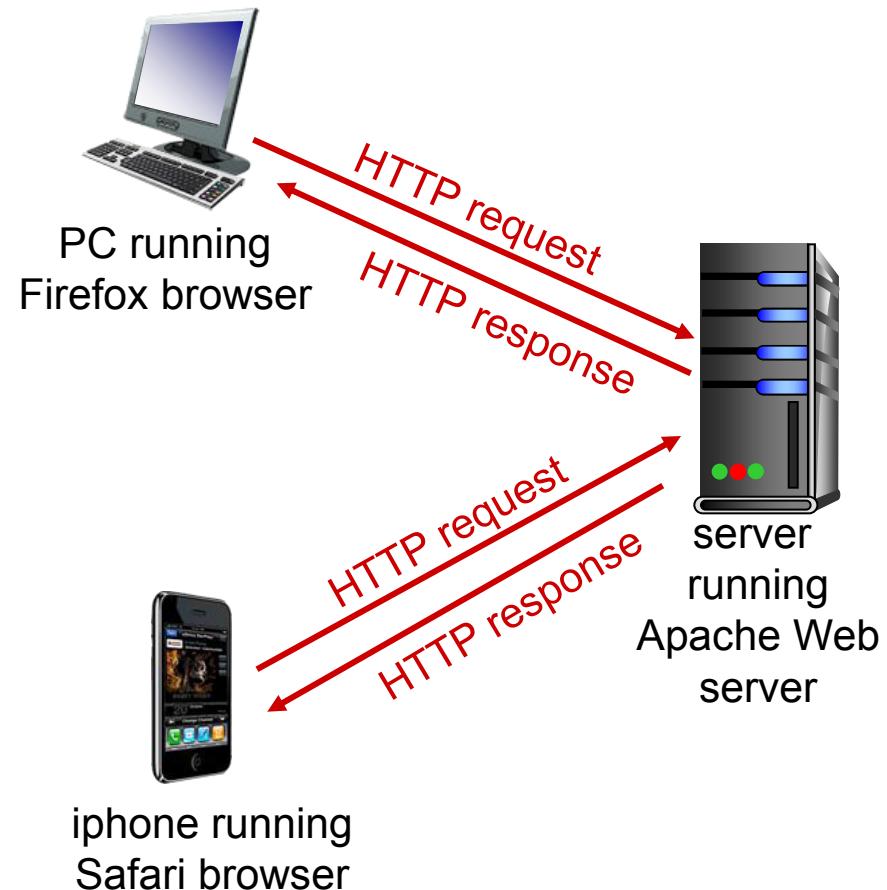


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2007.

# HTTP overview

## HTTP: hypertext transfer protocol

- ❖ Web's application layer protocol
- ❖ client/server model
  - **client:** browser that requests, receives, (using HTTP protocol) and "displays" Web objects
  - **server:** Web server sends (using HTTP protocol) objects in response to requests



# HTTP overview (continued)

*uses TCP:*

- ❖ client initiates TCP connection (creates socket) to server, port 80
- ❖ server accepts TCP connection from client
- ❖ HTTP messages (application-layer protocol messages) exchanged between browser (HTTP client) and Web server (HTTP server)
- ❖ TCP connection closed

*HTTP is “stateless”*

- ❖ server maintains no information about past client requests

*protocols that maintain “state” are complex!*

- ❖ past history (state) must be maintained
- ❖ if server/client crashes, their views of “state” may be inconsistent, must be reconciled

*aside*

# HTTP connections

## *non-persistent HTTP*

- ❖ at most one object sent over TCP connection
  - connection then closed
- ❖ downloading multiple objects required multiple connections

## *persistent HTTP*

- ❖ multiple objects can be sent over single TCP connection between client, server

# Non-persistent HTTP

suppose user enters URL:

`www.someSchool.edu/someDepartment/home.index`

(contains text,  
references to 10  
jpeg images)

Ia. HTTP client initiates TCP connection to HTTP server (process) at `www.someSchool.edu` on port 80

Ib. HTTP server at host `www.someSchool.edu` waiting for TCP connection at port 80. “accepts” connection,

2. HTTP client sends HTTP *request message* (containing URL) into TCP connection socket.

Message indicates that client wants object `someDepartment/home.index`

3. HTTP server receives request message, forms *response message* containing requested object, and sends message into its socket

time ↓

# Non-persistent HTTP (cont.)

time  
↓

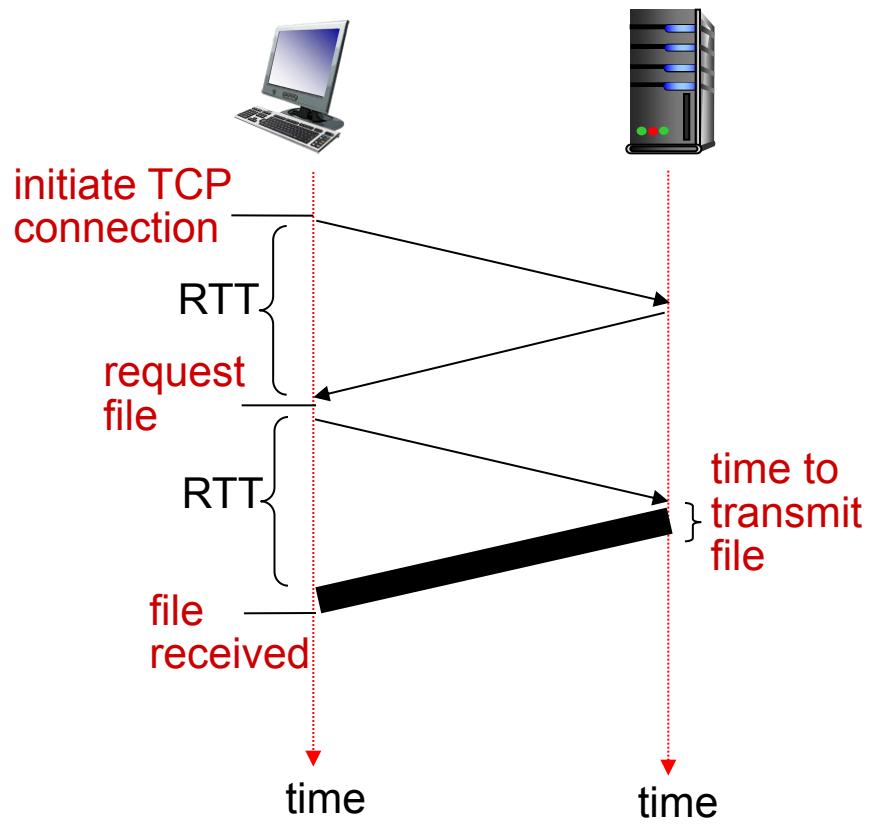
4. HTTP server closes TCP connection.
5. HTTP client receives response message containing html file, displays html. Parsing html file, finds 10 referenced jpeg objects
6. Steps 1-5 repeated for each of 10 jpeg objects

# Non-persistent HTTP: response time

**RTT (definition):** time for a small packet to travel from client to server and back

**HTTP response time:**

- ❖ one RTT to initiate TCP connection
- ❖ one RTT for HTTP request and first few bytes of HTTP response to return
- ❖ file transmission time
- ❖ non-persistent HTTP response time =  $2\text{RTT} + \text{file transmission time}$



# Persistent HTTP

## *non-persistent HTTP issues:*

- ❖ requires 2 RTTs per object
- ❖ OS overhead for each TCP connection
- ❖ browsers often open parallel TCP connections to fetch referenced objects

## *persistent HTTP:*

- ❖ server leaves connection open after sending response
- ❖ subsequent HTTP messages between same client/server sent over open connection
- ❖ client sends requests as soon as it encounters a referenced object
- ❖ as little as one RTT for all the referenced objects

# Zadaci

6. Prepostavimo da ste u svom čitaču izborom hiperveze otvorili neku veb stranu čija IP adresa nije keširana u vašem lokalnom računaru, tako da je za njeno pribavljanje neophodno pretraživanje DNS baze podataka. Takođe ćemo prepostaviti i to da je dobijanju IP adrese prethodila poseta n DNS servera (RTT<sub>1</sub>, RTT<sub>2</sub>, ..., RTT<sub>n</sub>). Zatim ova strana je povezana sa linkom koji se odnosi na samo jedan objekat-malo HTML teksta. Sa RTT<sub>0</sub> označićemo RTT vreme između lokalnog računara i servera na kome se ovaj objekat nalazi. Ukoliko zanemarimo trajanje prenosa objekta, koliko vremena protekne od trenutka kada korisnik izabere hipervezu do trenutka kada klijent primi traženi objekat?

Ukupno vreme neophodno za dobijanje IP adrese je:

$$RTT_1 + RTT_2 + \cdots + RTT_n = \sum_{i=1}^n RTTi .$$

Nakon dobijanja IP adrese najbližeg web servera sledi proces transfera objekta koji sadrži malo HTML teksta. Ako je  $RTT_o$  vreme koje je neophodno za transfer objekta od klijentskog do serverskog račuara onda sledi da je ukupno vreme:

$$2RTT_o + RTT_1 + RTT_2 + \cdots + RTT_n = 2RTT_o + \sum_{i=1}^n RTTi$$

7. Posmatrajući prethodni problem, pretpostavimo da HTML datoteka referencira tri veoma mala objekta na istom serveru. Ako zanemarimo trajanje prenosa, koliko je vremena potrebno kod:
  - a. Nepostojanih HTTP veza bez paralelnih TCP konekcija,
  - b. Nepostojanih HTTP veza sa paralelnim TCP konekcijama i
  - c. Postojanih HTTP veza sa cevovodnom obradom?

Rešenje:

a)

$$RTT_1 + \dots + RTT_n + 2RTT_o + 3 \cdot 2RTT_o$$

$$= 8RTT_o + RTT_1 + \dots + RTT_n = 8RTT_o + \sum_{i=1}^n RTTi$$

b)

$$RTT_1 + \dots + RTT_n + 2RTT_o + 2RTT_o$$

$$= 4RTT_o + RTT_1 + \dots + RTT_n = 4RTT_o + \sum_{i=1}^n RTTi$$

c)

$$RTT_1 + \dots + RTT_n + 2RTT_o + RTT_o$$

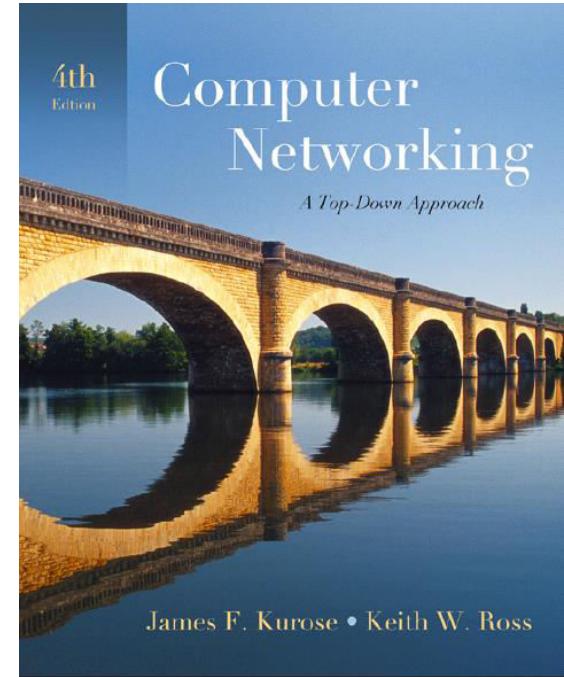
$$= 3RTT_o + RTT_1 + \dots + RTT_n = 3RTT_o + \sum_{i=1}^n RTTi$$

# Chapter 3

## Transport Layer

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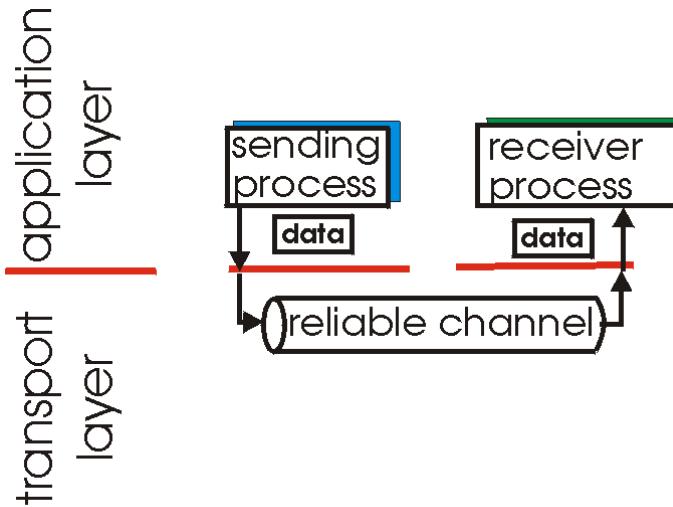
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# Principles of Reliable data transfer

- ❖ important in app., transport, link layers
- ❖ top-10 list of important networking topics!

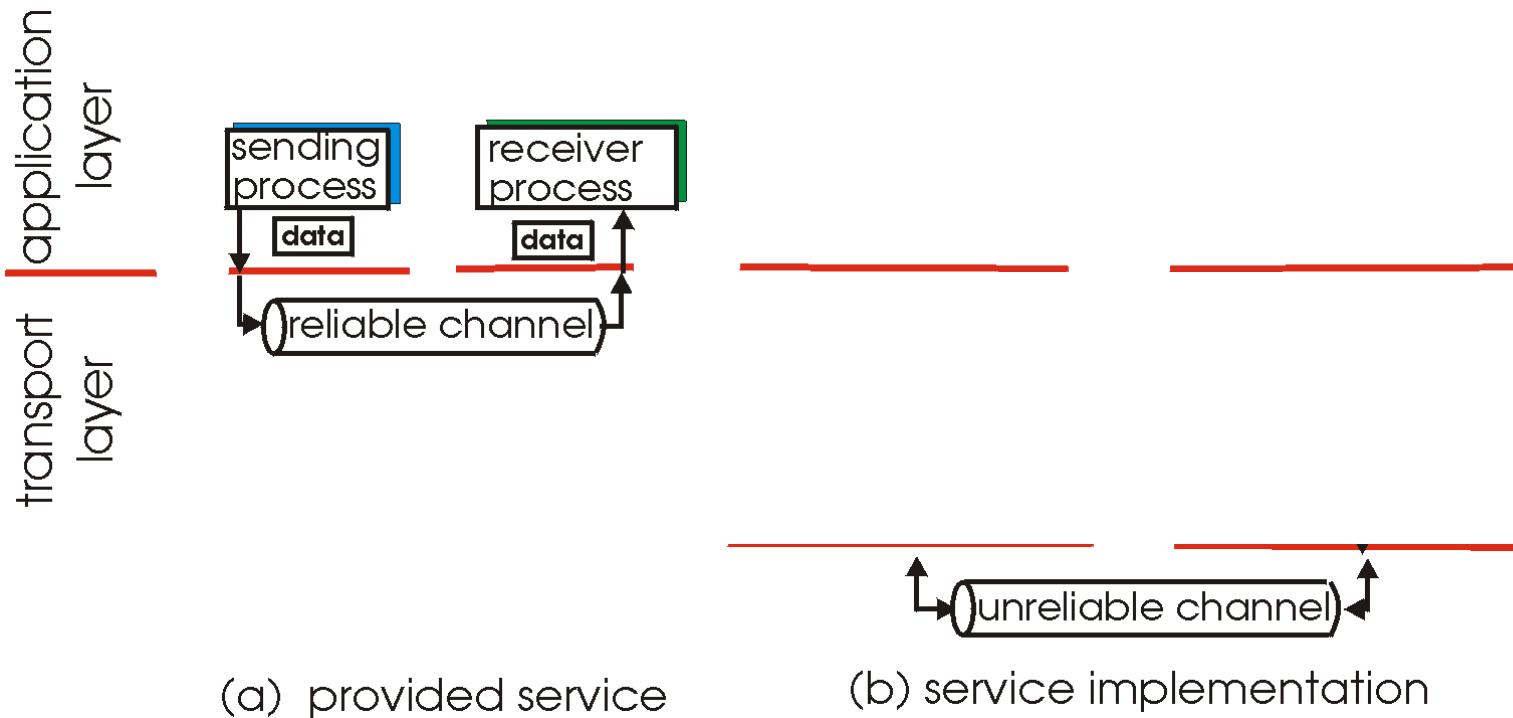


(a) provided service

- ❖ characteristics of unreliable channel will determine complexity of reliable data transfer protocol (rdt)

# Principles of Reliable data transfer

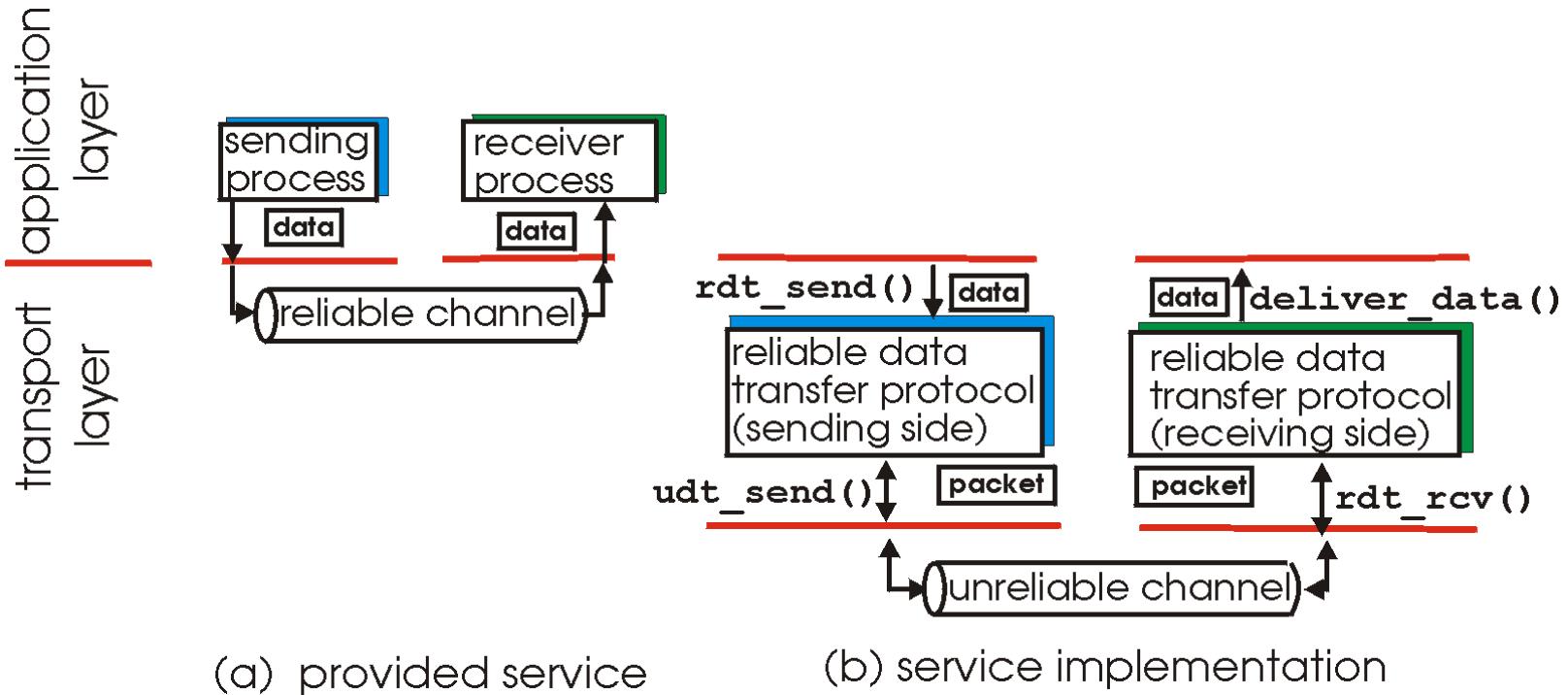
- ❖ important in app., transport, link layers
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- ❖ characteristics of unreliable channel will determine complexity of reliable data transfer protocol (rdt)

# Principles of Reliable data transfer

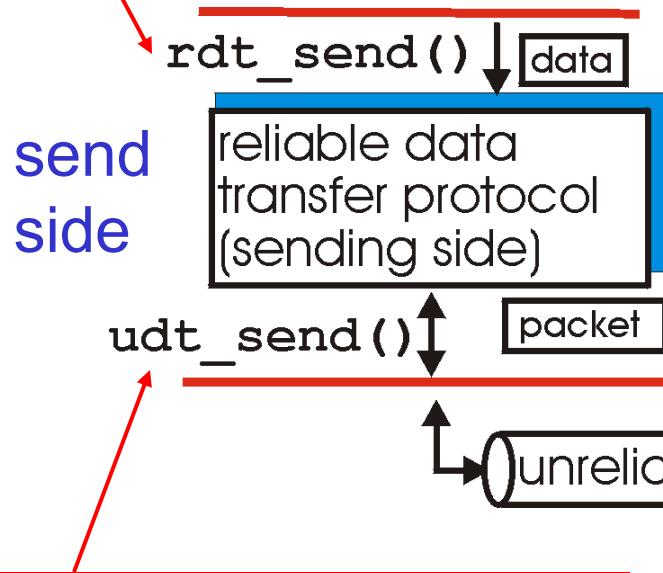
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- ❖ characteristics of unreliable channel will determine complexity of reliable data transfer protocol (rdt)

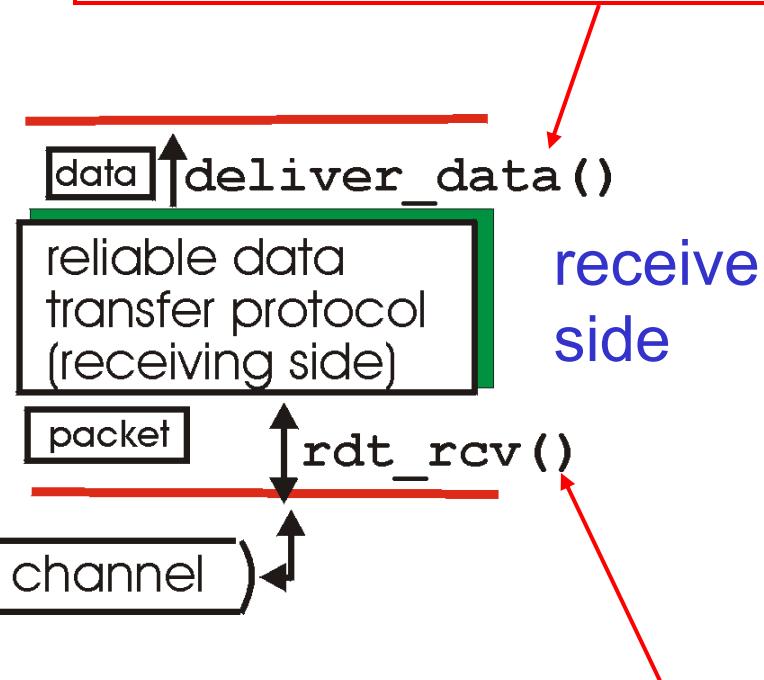
# Reliable data transfer: getting started

**rdt\_send()** : called from above, (e.g., by app.). Passed data to deliver to receiver upper layer



**udt\_send()** : called by rdt, to transfer packet over unreliable channel to receiver

**deliver\_data()** : called by rdt to deliver data to upper



**rdt\_rcv()** : called when packet arrives on rcv-side of channel

# Reliable data transfer: getting started

We'll:

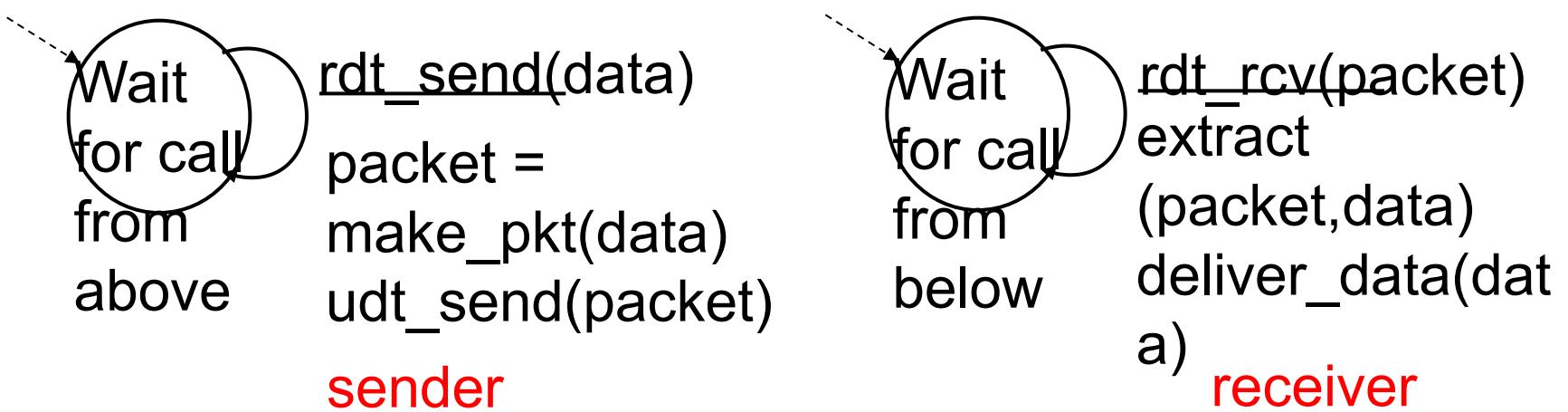
- ❖ incrementally develop sender, receiver sides of reliable data transfer protocol (rdt)
- ❖ consider only unidirectional data transfer
  - but control info will flow on both directions!
- ❖ use finite state machines (FSM) to specify sender, receiver

**state:** when in this “state” next state uniquely determined by next event



# Rdt1.0: reliable transfer over a reliable channel

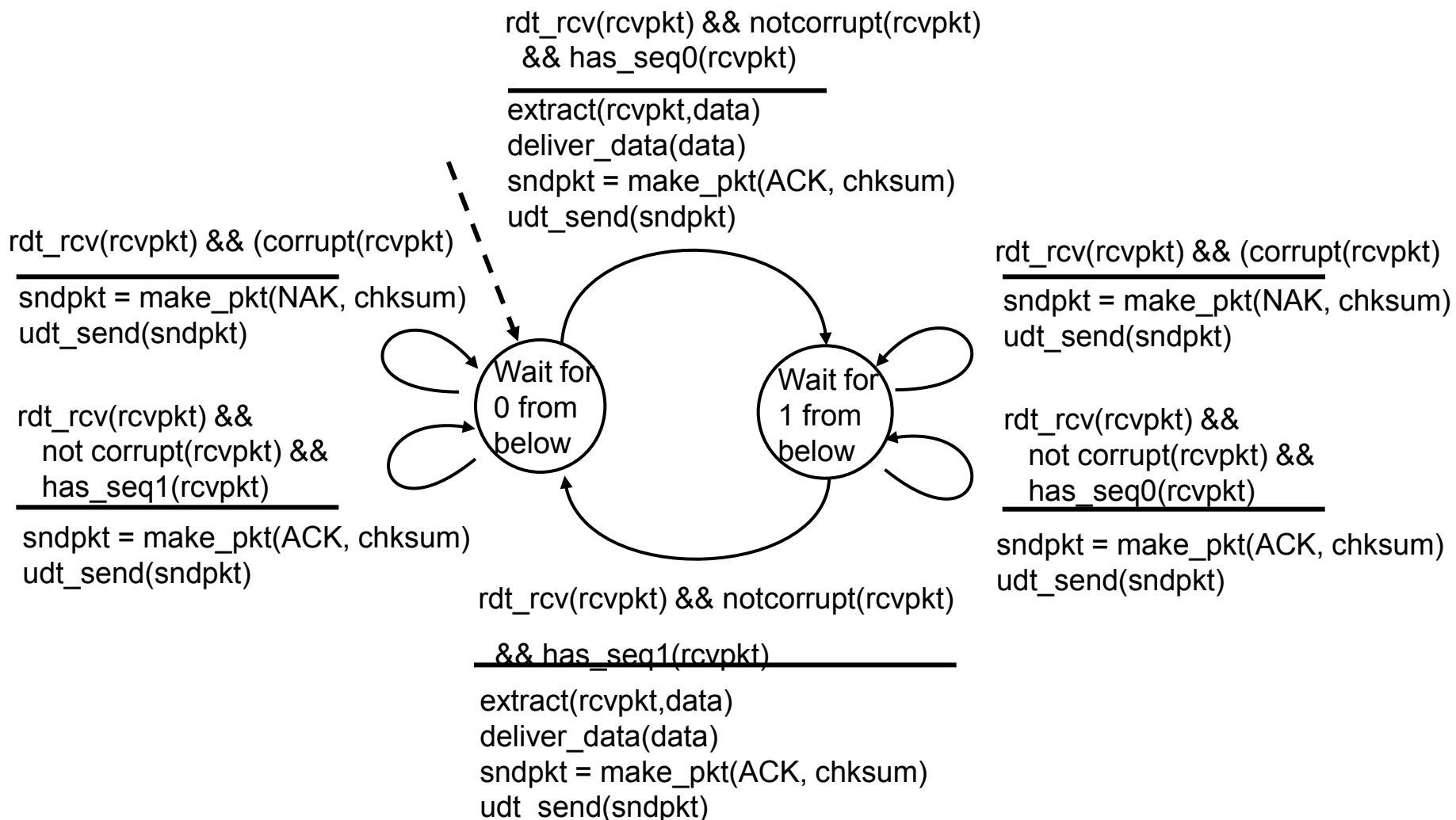
- ❖ underlying channel perfectly reliable
  - no bit errors
  - no loss of packets
- ❖ separate FSMs for sender, receiver:
  - sender sends data into underlying channel
  - receiver read data from underlying channel



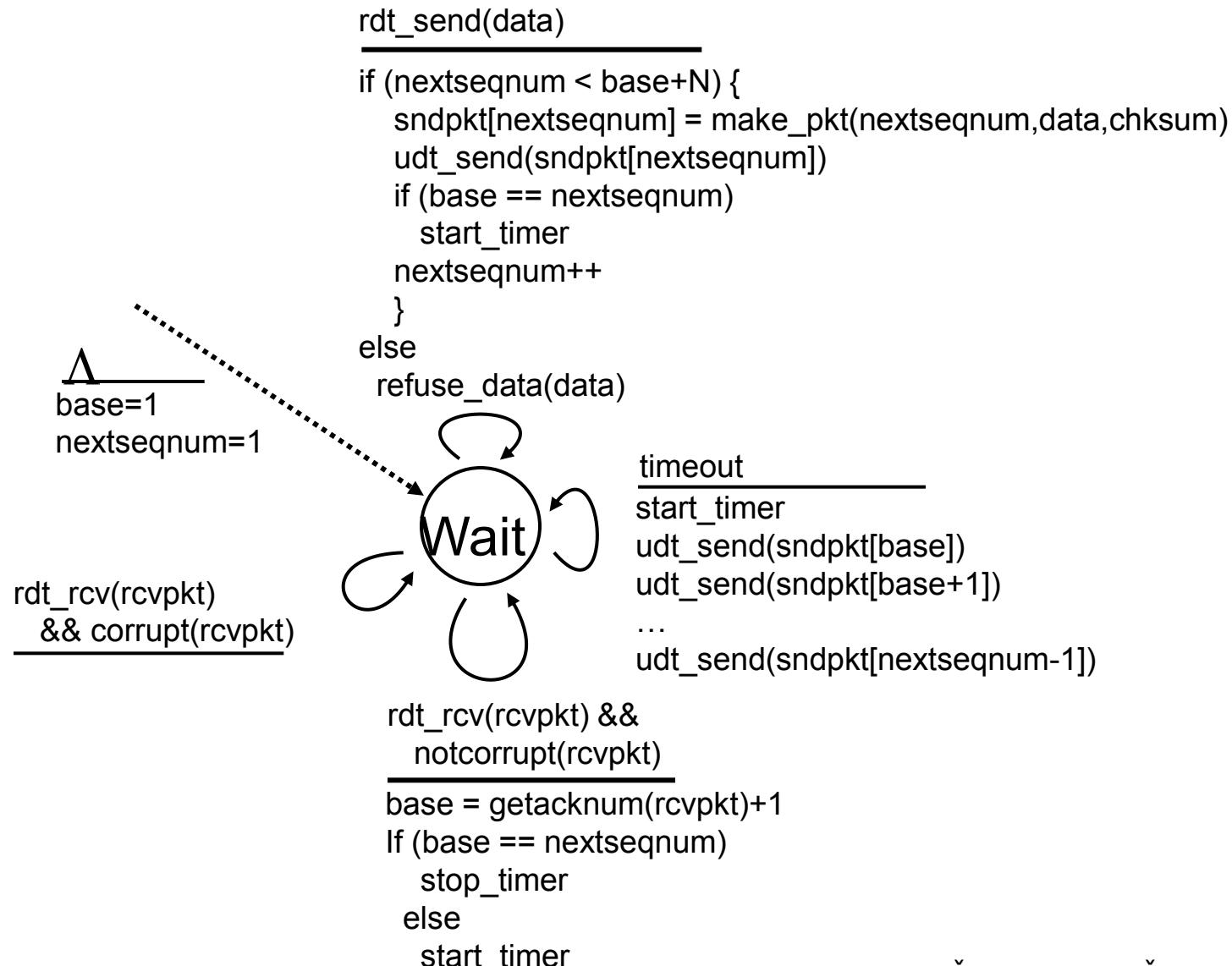
# Rdt2.0: channel with bit errors

- ❖ underlying channel may flip bits in packet
  - checksum to detect bit errors
- ❖ the question: how to recover from errors:
  - *acknowledgements (ACKs)*: receiver explicitly tells sender that pkt received OK
  - *negative acknowledgements (NAKs)*: receiver explicitly tells sender that pkt had errors
  - sender retransmits pkt on receipt of NAK
- ❖ new mechanisms in **rdt2.0** (beyond **rdt1.0**):
  - error detection
  - receiver feedback: control msgs (ACK,NAK) rcvr->sender

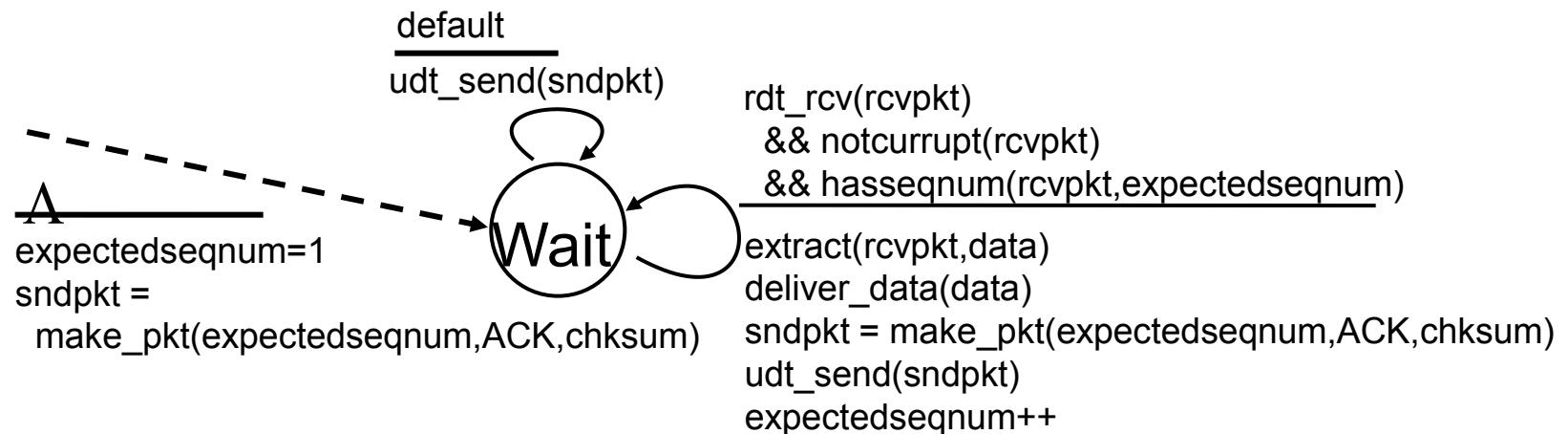
# rdt2.1: receiver, handles garbled ACK/NAKs



# GBN: sender extended FSM



# GBN: receiver extended FSM



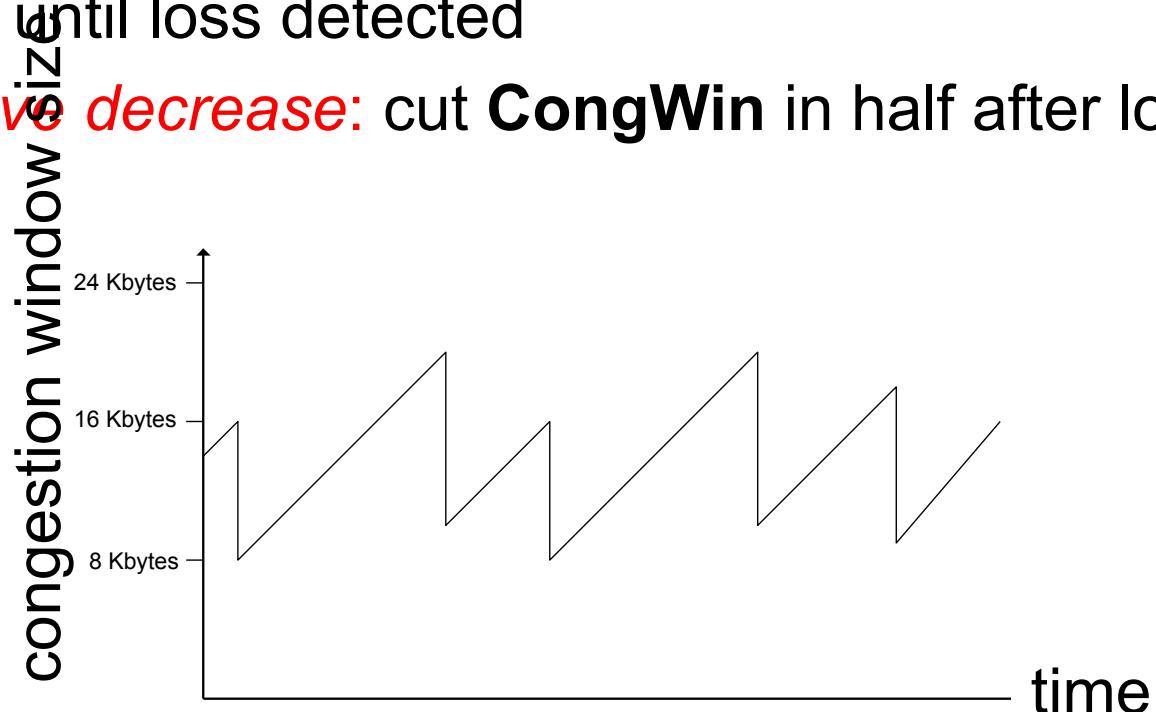
ACK-only: always send ACK for correctly-received pkt with highest *in-order* seq #

- may generate duplicate ACKs
  - need only remember **expectedseqnum**
- ❖ out-of-order pkt:
- discard (don't buffer) -> **no receiver buffering!**
  - Re-ACK pkt with highest in-order seq #

# TCP congestion control: additive increase, multiplicative decrease

- **Approach:** increase transmission rate (window size), probing for usable bandwidth, until loss occurs
  - **additive increase:** increase **CongWin** by 1 MSS every RTT until loss detected
  - **multiplicative decrease:** cut **CongWin** in half after loss

Saw tooth behavior: probing for bandwidth



# TCP Congestion Control: details

- sender limits transmission:  
 $\text{LastByteSent} - \text{LastByteAcked} \leq \text{CongWin}$

- Roughly,

$$\text{rate} = \frac{\text{CongWin}}{\text{RTT}} \text{ Bytes/sec}$$

- CongWin is dynamic, function of perceived network congestion

How does sender perceive congestion?

- loss event = timeout or 3 duplicate acks
- TCP sender reduces rate (CongWin) after loss event

three mechanisms:

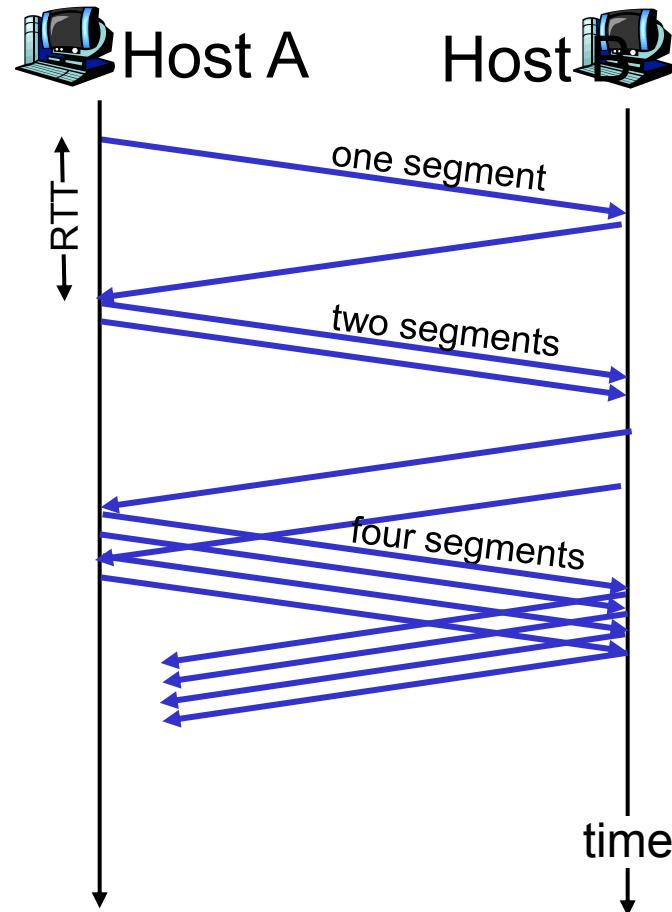
- AIMD
- slow start
- conservative after timeout events

# TCP Slow Start

- When connection begins,  $\text{CongWin} = 1 \text{ MSS}$ 
  - Example:  $\text{MSS} = 500 \text{ bytes}$  &  $\text{RTT} = 200 \text{ msec}$
  - initial rate = 20 kbps
- available bandwidth may be  $\gg \text{MSS}/\text{RTT}$ 
  - desirable to quickly ramp up to respectable rate
- When connection begins, increase rate exponentially fast until first loss event

# TCP Slow Start (more)

- When connection begins, increase rate exponentially until first loss event:
  - double CongWin every RTT
  - done by incrementing CongWin for every ACK received
- Summary: initial rate is slow but ramps up exponentially fast



# Refinement: inferring loss

- After 3 dup ACKs:
  - CongWin is cut in half
  - window then grows linearly
- But after timeout event:
  - CongWin instead set to 1 MSS;
  - window then grows exponentially
  - to a threshold, then grows linearly

Philosophy:

- 3 dup ACKs indicates network capable of delivering some segments
- timeout indicates a “more alarming” congestion scenario

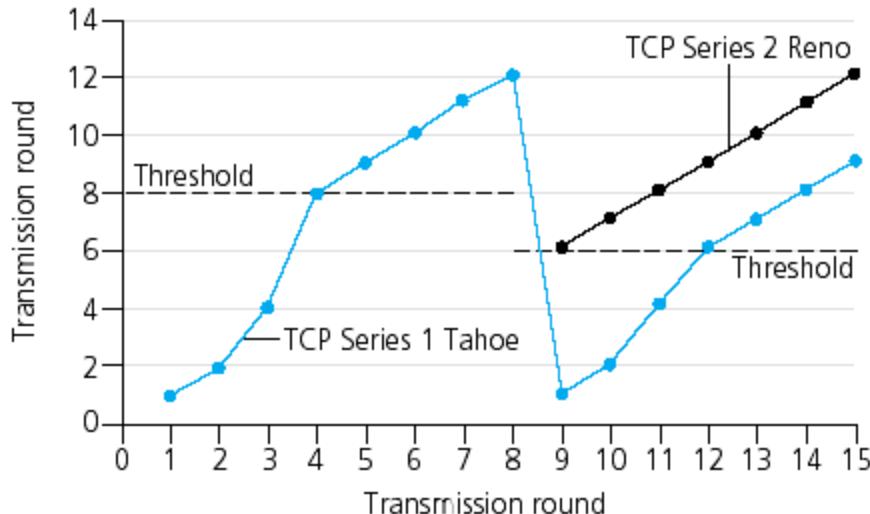
# Refinement

**Q:** When should the exponential increase switch to linear?

**A:** When CongWin gets to 1/2 of its value before timeout.

## Implementation:

- Variable Threshold
- At loss event, Threshold is set to 1/2 of CongWin just before loss event



## Summary: TCP Congestion Control

- When **CongWin** is below **Threshold**, sender is in **slow-start** phase, window grows exponentially.
- When **CongWin** is above **Threshold**, sender is in **congestion-avoidance** phase, window grows linearly.
- When a **triple duplicate ACK** occurs, **Threshold** set to **CongWin/2** and **CongWin** set to **Threshold**.
- When **timeout** occurs, **Threshold** set to **CongWin/2** and **CongWin** is set to 1 **MSS**.

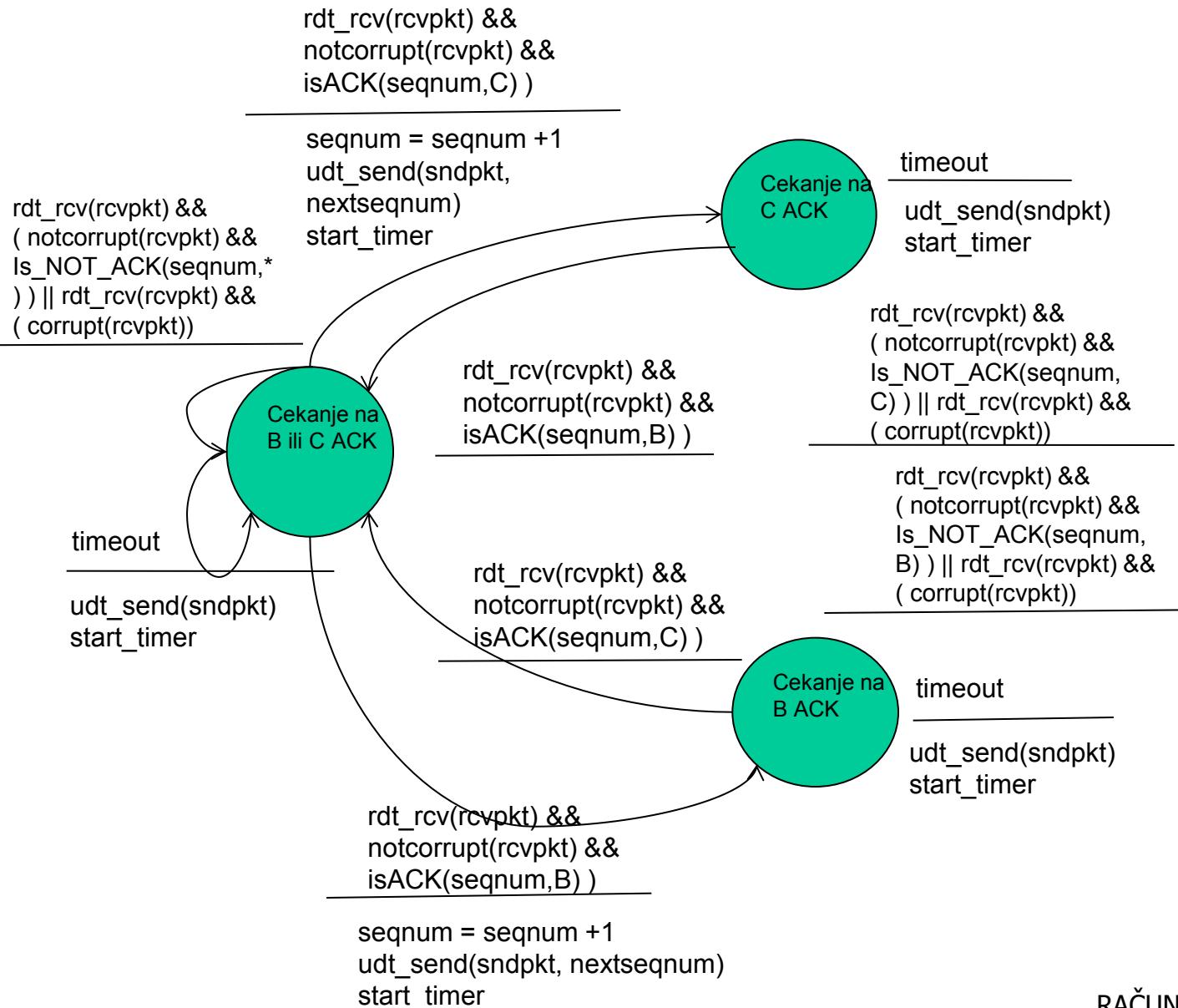
# TCP sender congestion control

State	Event	TCP Sender Action	Commentary
Slow Start (SS)	ACK receipt for previously unacked data	$\text{CongWin} = \text{CongWin} + \text{MSS}$ , If ( $\text{CongWin} > \text{Threshold}$ ) set state to "Congestion Avoidance"	Resulting in a doubling of CongWin every RTT
Congestion Avoidance (CA)	ACK receipt for previously unacked data	$\text{CongWin} = \text{CongWin} + \text{MSS} * (\text{MSS}/\text{CongWin})$	Additive increase, resulting in increase of CongWin by 1 MSS every RTT
SS or CA	Loss event detected by triple duplicate ACK	$\text{Threshold} = \text{CongWin}/2$ , $\text{CongWin} = \text{Threshold}$ , Set state to "Congestion Avoidance"	Fast recovery, implementing multiplicative decrease. CongWin will not drop below 1 MSS.
SS or CA	Timeout	$\text{Threshold} = \text{CongWin}/2$ , $\text{CongWin} = 1 \text{ MSS}$ , Set state to "Slow Start"	Enter slow start
SS or CA	Duplicate ACK	Increment duplicate ACK count for segment being acked	CongWin and Threshold not changed

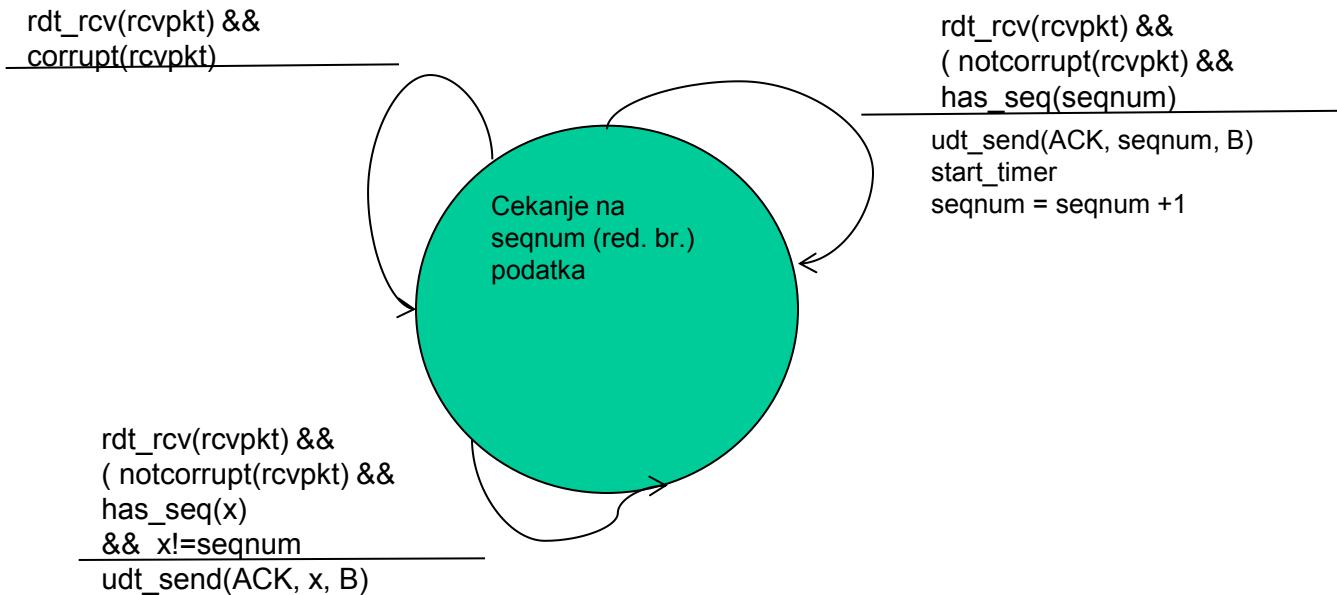
# Zadaci

8. Analizirajte scenario u kojem računar A želi istovremeno da šalje poruke računarima B i C. A povezan sa B i C kanalom za difuzno emitovanje-kanal će preneti računarima B i C paket poslat iz računara A. Pretpostavite da kanal za difuzno emitovanje koji povezuje A, B i C može nezavisno da gubi i oštećuje poruke (na primer, da poruka poslata iz A bude pravilno priljena u B, ali ne i u C). Projektuje protokol za kontrolu grešaka u stilu "stani i čekaj", za pouzdan prenos paketa od A do B i C, takav da A neće prihvati nove podatke od gornjeg sloja, sve dok ne utvrди da su i B i C pravilno primili trenutni paket. Napravite konačne automate za A i C. (Napomena: Konačni automati za B trebalo bi u osnovi da bude isti kao za C. )

# Pošiljaoc

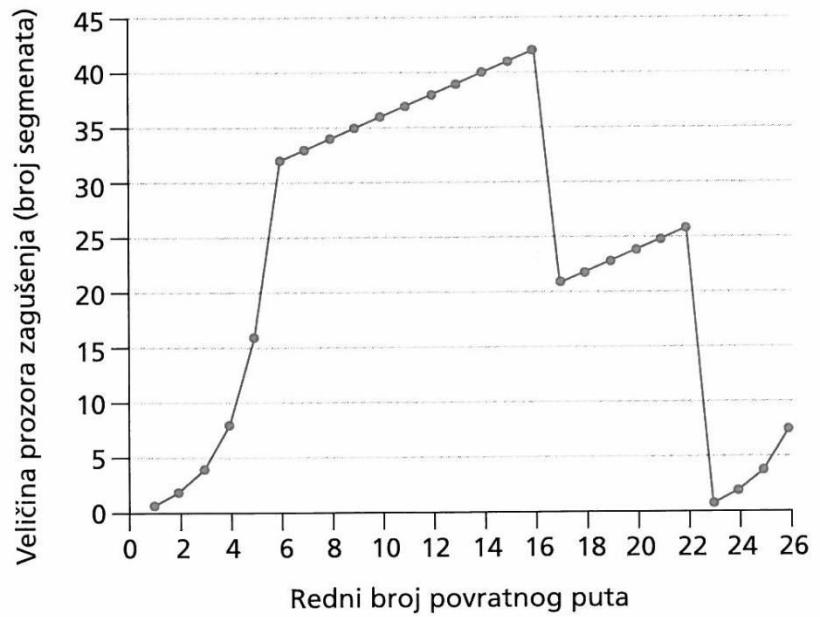


# Primalac B



9. Razmotrite sledeći dijagram veličine TCP prozora u funkciji vremena. Pod pretpostavkom da se prikazano ponašanje u protokolu TCP Reno, odgovorite na sledeća pitanja (pogledajte sliku na sledećem slajdu)

- Ozančite vremenske intervale u kojima TCP vrši spori početak.
- Ozančite vremenske intervale u kojima TCP izvršava izbegavanje zagušenja.
- Da li se gubitak segmenta nakon 16. povratnog puta otkriven na osnovu tri identična ACK-a ili na osnovu tajm-auta.
- Da li se gubitak segmenta nakon 22. povratnog puta otkriven na osnovu tri identična ACK-a ili na osnovu tajm-auta.
- Koja je vrednost praga Threshold tokom prve povratene putanje.



- ❖ TCP spori strart se izvršava u intervalima [1,6] i [23,26].
- ❖ TCP izbegavanje zagušenja izvršava se u intervalima [6,16] i [17,22].
- ❖ gubitak segmenta nakon 16. povratnog puta otkriven na osnovu tri identična ACK-a . U slučaju gubitka segmenta usled tajm-autu veličina prozora zagušnja bila bi 1, što nije u ovom slučaju.
- ❖ gubitak segmenta nakon 22. povratnog puta otkriven na osnovu tajm-autu, te je prozor zagušenje jednak 1 .
- ❖ početna vrednost praga Threshold tokom prve povratne putanje je 32. koji se može definisati sa tačkom A tj. njenim koordinatama. Možemo napisati A(6, 32), data tačka, definiše kraj faze sporog početka odnosno eksponencijalnog rasta brzine slanja i početak faze linearнog rasta tj. perioda izbegavanja zagušenja.

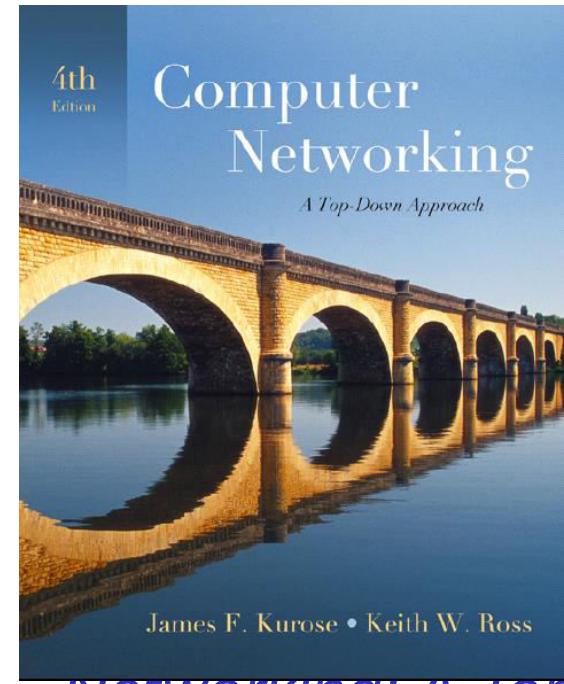


# Chapter 4

# Network Layer

RAČUNARSKE MREŽE I WEB  
PROGRAMIRANJE  
IV- GODINA

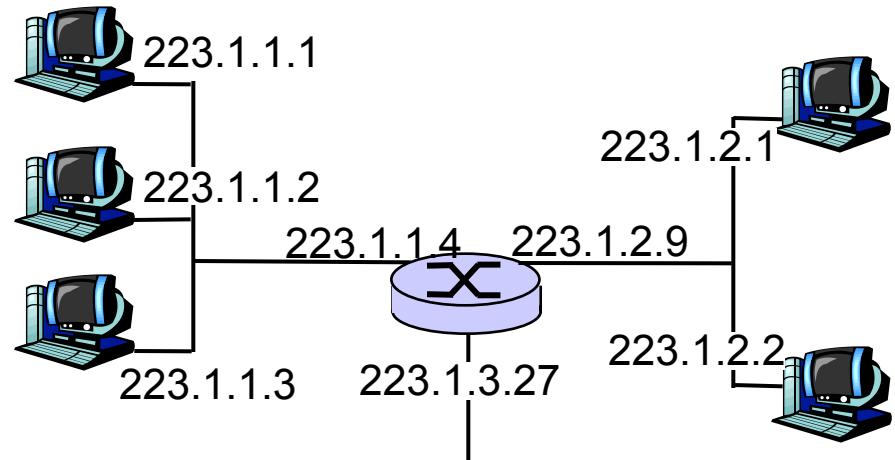
prof. dr Zlatko Langović



*Networking: A Top  
Down Approach*  
4<sup>th</sup> edition.  
Jim Kurose, Keith  
Ross  
Addison-Wesley,  
July 2007.

# IP Addressing: introduction

- ❖ **IP address:** 32-bit identifier for host, router interface
- ❖ **interface:** connection between host/router and physical link
  - router's typically have multiple interfaces
  - host typically has one interface
  - IP addresses associated with each interface



223.1.1.1 = 11011111 00000001 00000001 00000001

223            1            1            1

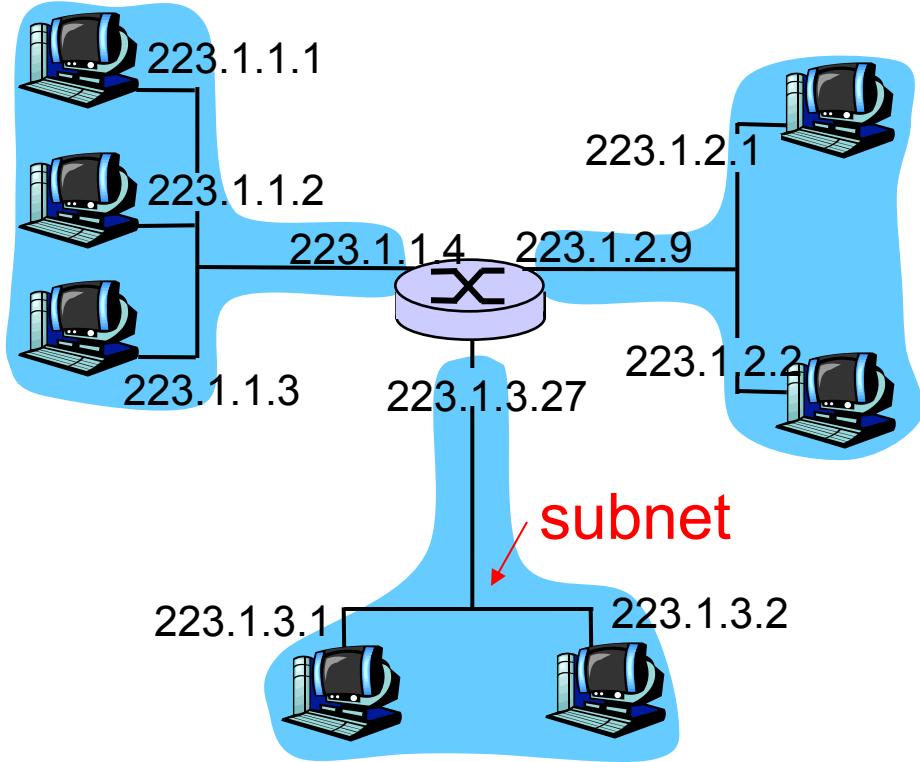
# Subnets

## ❖ IP address:

- subnet part (high order bits)
- host part (low order bits)

## ❖ What's a subnet ?

- device interfaces with same subnet part of IP address
- can physically reach each other without intervening router

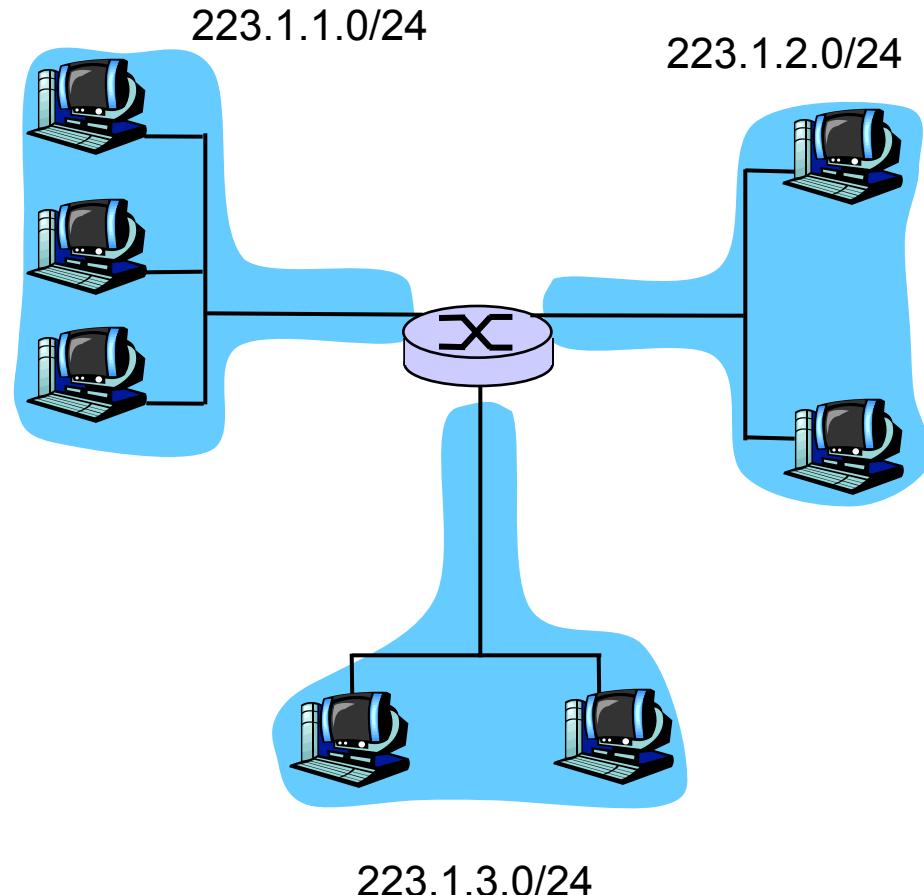


network consisting of 3 subnets

# Subnets

## Recipe

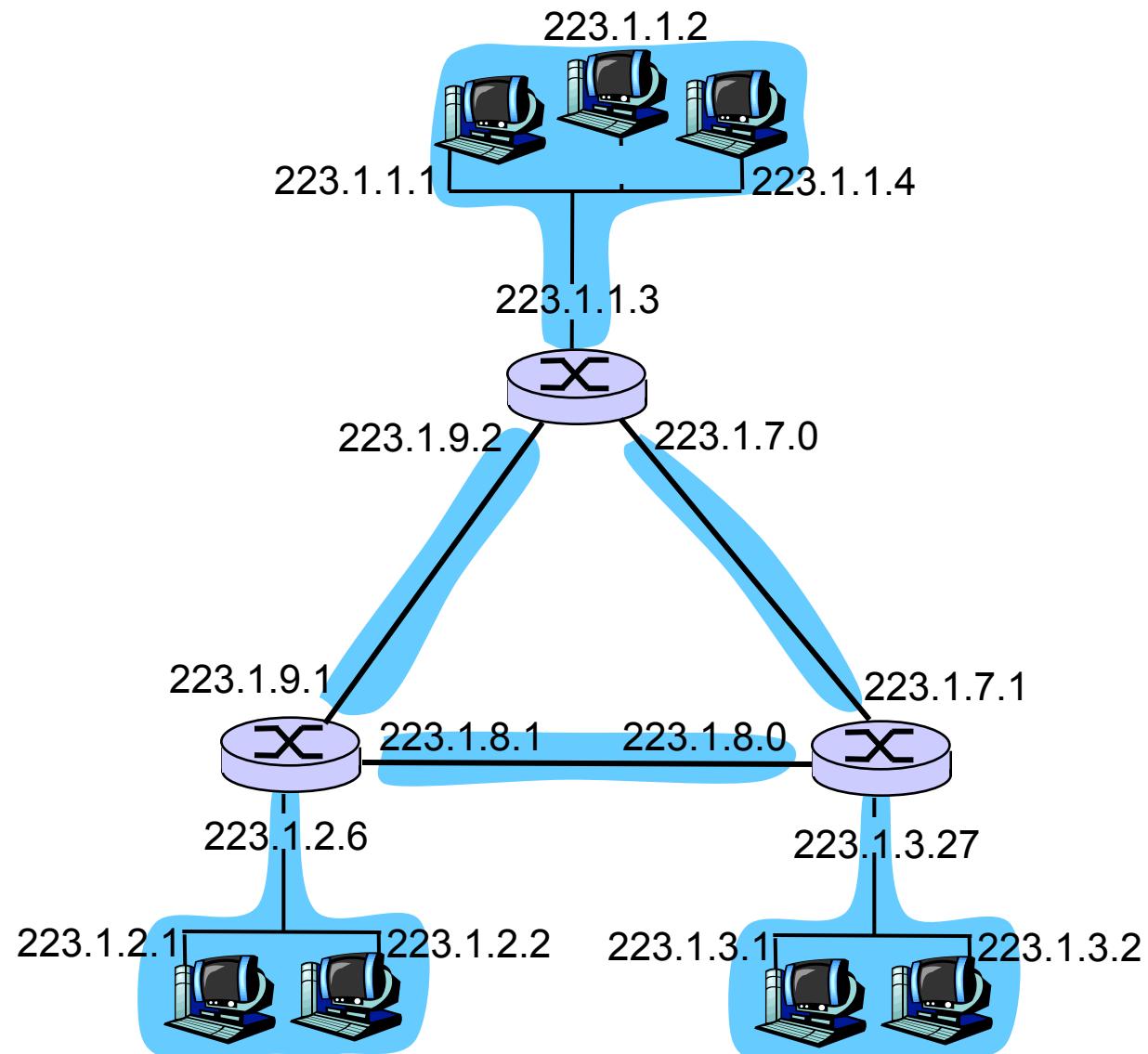
- ❖ To determine the subnets, detach each interface from its host or router, creating islands of isolated networks. Each isolated network is called a **subnet**.



Subnet mask: /24

# Subnets

How many?



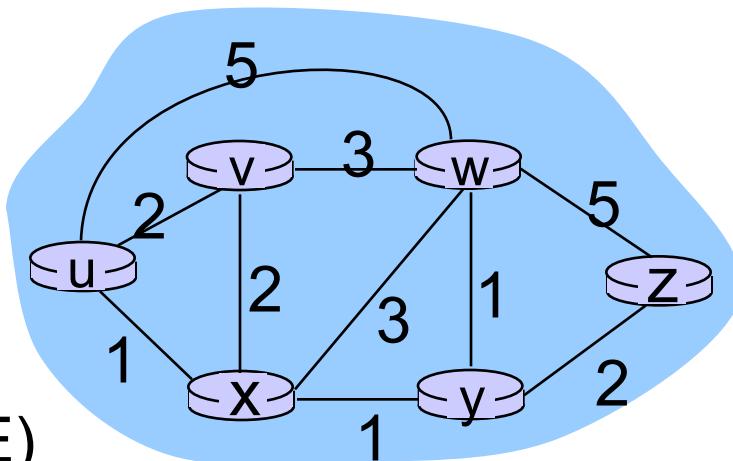
# IP addressing: CIDR

## CIDR: Classless InterDomain Routing

- subnet portion of address of arbitrary length
- address format:  $a.b.c.d/x$ , where  $x$  is # bits in subnet portion of address



# Graph abstraction



Graph:  $G = (N, E)$

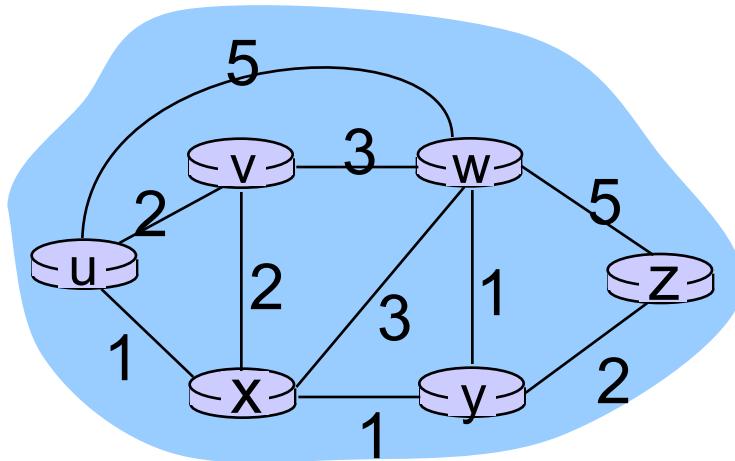
$N = \text{set of routers} = \{ u, v, w, x, y, z \}$

$E = \text{set of links} = \{ (u,v), (u,x), (v,x), (v,w), (w,x), (x,y), (w,y), (w,z) \}$

Remark: Graph abstraction is useful in other network contexts

Example: P2P, where  $N$  is set of peers and  $E$  is set of TCP connections

# Graph abstraction: costs



- $c(x,x')$  = cost of link  $(x,x')$ 
  - e.g.,  $c(w,z) = 5$
- cost could always be 1, or inversely related to bandwidth or inversely related to

Cost of path  $(x_1, x_2, x_3, \dots, x_p)$  =  ~~$\alpha_{\text{congestion}}(x_1, x_2) + \alpha_{\text{congestion}}(x_2, x_3) + \dots + \alpha_{\text{congestion}}(x_{p-1}, x_p)$~~   $c(x_1, x_2) + c(x_2, x_3) + \dots + c(x_{p-1}, x_p)$

Question: What's the least-cost path between u and z ?

Routing algorithm: algorithm that finds least-cost path

# Routing Algorithm classification

## Global or decentralized information?

### Global:

- ❖ all routers have complete topology, link cost info
- ❖ “link state” algorithms

### Decentralized:

- ❖ router knows physically-connected neighbors, link costs to neighbors
- ❖ iterative process of computation, exchange of info with neighbors
- ❖ “distance vector” algorithms

## Static or dynamic?

### Static:

- ❖ routes change slowly over time

### Dynamic:

- ❖ routes change more quickly
  - periodic update
  - in response to link cost changes

# A Link-State Routing Algorithm

## Dijkstra's algorithm

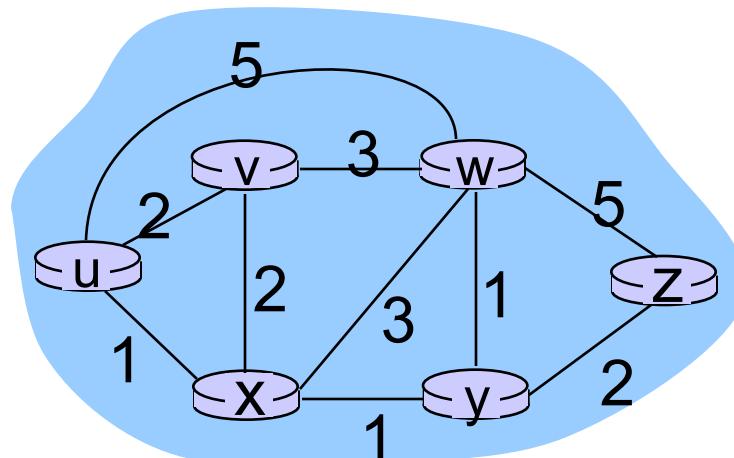
- ❖ net topology, link costs known to all nodes
  - accomplished via “link state broadcast”
  - all nodes have same info
- ❖ computes least cost paths from one node (“source”) to all other nodes
  - gives **forwarding table** for that node
- ❖ iterative: after  $k$  iterations, know least cost path to  $k$  dest.’s

## Notation:

- ❖  $c(x,y)$ : link cost from node  $x$  to  $y$ ;  $= \infty$  if not direct neighbors
- ❖  $D(v)$ : current value of cost of path from source to dest.  $v$
- ❖  $p(v)$ : predecessor node along path from source to  $v$
- ❖  $N'$ : set of nodes whose least cost path definitively known

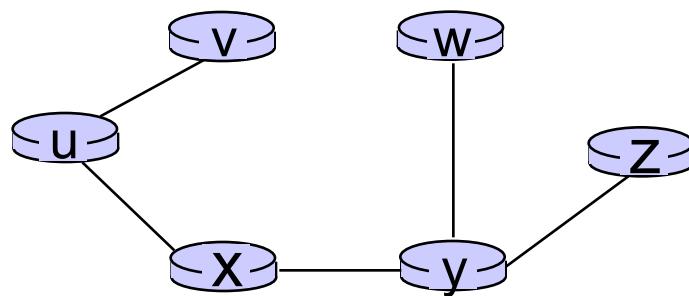
# Dijkstra's algorithm: example

Step	$N'$	$D(v), p(v)$	$D(w), p(w)$	$D(x), p(x)$	$D(y), p(y)$	$D(z), p(z)$
0	u	2,u	5,u	1,u	$\infty$	$\infty$
1	ux	2,u	4,x		2,x	$\infty$
2	uxy	2,u	3,y			4,y
3	uxyv		3,y			4,y
4	uxyvw					4,y
5	uxyvwz					



# Dijkstra's algorithm: example (2)

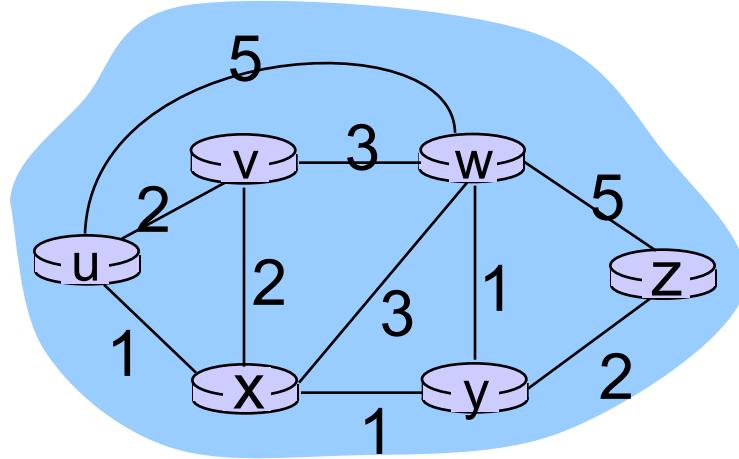
Resulting shortest-path tree from u:



Resulting forwarding table in u:

destination	link
v	(u,v)
x	(u,x)
y	(u,x)
w	(u,x)
z	(u,x)

# Bellman-Ford example



Clearly,  $d_v(z) = 5$ ,  $d_x(z) = 3$ ,  $d_w(z) = 3$

B-F equation says:

$$\begin{aligned} d_u(z) &= \min \{ c(u,v) + d_v(z), \\ &\quad c(u,x) + d_x(z), \\ &\quad c(u,w) + d_w(z) \} \\ &= \min \{ 2 + 5, \\ &\quad 1 + 3, \\ &\quad 5 + 3 \} = 4 \end{aligned}$$

Node that achieves minimum is next  
hop in shortest path → forwarding table

# Distance Vector Algorithm

- ❖  $D_x(y)$  = estimate of least cost from  $x$  to  $y$
- ❖ Node  $x$  knows cost to each neighbor  $v$ :  $c(x,v)$
- ❖ Node  $x$  maintains distance vector  $\mathbf{D}_x = [D_x(y): y \in N]$
- ❖ Node  $x$  also maintains its neighbors' distance vectors
  - For each neighbor  $v$ ,  $x$  maintains  $\mathbf{D}_v = [D_v(y): y \in N]$

# Distance vector algorithm (4)

## Basic idea:

- ❖ From time-to-time, each node sends its own distance vector estimate to neighbors
- ❖ Asynchronous
- ❖ When a node  $x$  receives new DV estimate from neighbor, it updates its own DV using B-F equation:

$$D_x(y) \leftarrow \min_v \{c(x,v) + D_v(y)\} \quad \text{for each node } y \in N$$

- Under minor, natural conditions, the estimate  $D_x(y)$  converge to the actual least cost  $d_x(y)$

# Distance Vector Algorithm (5)

**Iterative, asynchronous:** each

local iteration caused by:

- ❖ local link cost change
- ❖ DV update message from neighbor

**Distributed:**

- ❖ each node notifies neighbors *only* when its DV changes
  - neighbors then notify their neighbors if necessary

**Each node:**

*wait* for (change in local link cost or msg from neighbor)

*recompute* estimates

if DV to any dest has changed, *notify* neighbors

$$D_x(y) = \min\{c(x,y) + D_y(y), c(x,z) + D_z(z)\} = \min\{2+0, 7+1\} = 2$$

e

$$D_x(z) = \min\{c(x,y) + D_y(z), c(x,z) + D_z(y)\} = \min\{2+1, 7+0\} = 3$$

## **node x table**

		cost to		
		x	y	z
from	x	0	2	7
	y	$\infty$	$\infty$	$\infty$

~~cost to~~

	x	y	z
x	0	2	3
y	2	0	1
z	7	1	0

cost to

	x	y	z	
from	x	0	2	3
	y	2	0	1
	z	3	1	0

# node y table

		x	y	z
from	x	$\infty$	$\infty$	$\infty$
	y	2	0	1
	z	$\infty$	$\infty$	$\infty$

**cost to**

	x	y	z
x	0	2	7
y	2	0	1
z	7	1	0

cost to

	x	y	z
x	0	2	3
y	2	0	1
z	3	1	0

## node z table

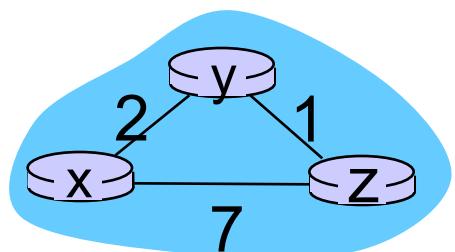
		cost to		
		x	y	z
from	x	$\infty$	$\infty$	
	y	$\infty$	$\infty$	$\infty$
	z	7	1	0

**cost to**

	x	y	z
x	0	2	7
y	2	0	1
z	3	1	0

cost to

	x	y	z	
from	x	0	2	3
	y	2	0	1
	z	3	1	0



# Zadaci

10. Zamislite ruter koji povezuje tri podmreže: Podmrežu 1, Podmrežu 2 i Podmrežu 3.

Prepostavite da svi interfejsi u tim podmrežama moraju da imaju prefiks 223.1.17/24.

Takođe prepostavite da Podmreža 1 mora da podrži najviše 125 interfejsa a Podmreže 2 i 3 treba da podrže najviše po 60 interfejsa. Odredite tri mrežne adrese (oblika a.b.c/x) koji će zadovoljiti date zahteve.

## Rešenje:

- ❖ Mrežni prefiks (deo adrese koji definiše mrežu) definisan je sa 24 bita. Dok je, sufiks deo, koji definiše host sisteme, određen sa 8 bita. Međutim, potrebna vrednost broja host interfejsa je 125 odnosno  $128=2^7$ , te sledi  $8-1=7$ . Drugim rečima od 8 bita host dela, jedan bit je "neiskorišećen" te može "preći" u mrežni deo:  $24+1=25$ . Možemo napisati sledeći izraz za Podmeržu - 1: 223.1.17.0/25;
- ❖ Mrežni prefiks (deo adrese koji definiše mrežu) definisan je sa 24 bita. Dok je, sufiks deo, koji definiše host sisteme, određen sa 8 bita. Međutim, potrebna vrednost broja host interfejsa je 60 odnosno  $64=2^6$ , te sledi  $8-2=6$ . Drugim rečima od 8 bita host dela, dva bita su "neiskorišećena" te mogu "preći" u mrežni deo:  $24+2=26$ . Možemo napisati sledeći izraz za Podmeržu - 2: 223.1.128/26 ( $0+128=128$ );
- ❖ Mrežni prefiks (deo adrese koji definiše mrežu) definisan je sa 24 bita. Dok je, sufiks deo, koji definiše host sisteme, određen sa 8 bita. Međutim, potrebna vrednost broja host interfejsa je 60 odnosno  $64=2^6$ , te sledi  $8-2=6$ . Drugim rečima od 8 bita host dela, dva bita su "neiskorišećena" te mogu "preći" u mrežni deo:  $24+2=26$ . Možemo napisati sledeći izraz za Podmeržu - 3: 223.1.192/26 ( $128+64=192$ ).

11. Razmotrite mrežu prikazanu na dатој слици. Pomoću Dijkstrinog algoritma.

- Izračunajte najkraću putanju od s do svih ostalih mrežnih čvorova.

Rešenje:

$N'$	$D(s),$ $p(s)$	$D(t),$ $p(t)$	$D(u),$ $p(u)$	$D(v),$ $p(v)$	$D(w),$ $p(w)$	$D(y),$ $p(y)$	$D(z),$ $p(z)$
	inf	inf	inf	3, x	1, x	6, x	inf
w	Inf	inf	4, w	2, w		6, x	inf
wv	Inf	11, v	3, v			3, v	inf
wvu	7, u	5, u				3, v	inf
wvuy	7, u	5, u					17, y
wvuyt	6, t						7, t
Wvuyts							7, t

12. Razmotrite sledeću mrežu. Koristite algoritam rastojanja. Popunite stavke u tabeli rastojanja.

Rešenje:

				Cena	
		u	v	x	y
From	v	6	5	8	9
	x	4	5	2	3
	y	13	14	11	10

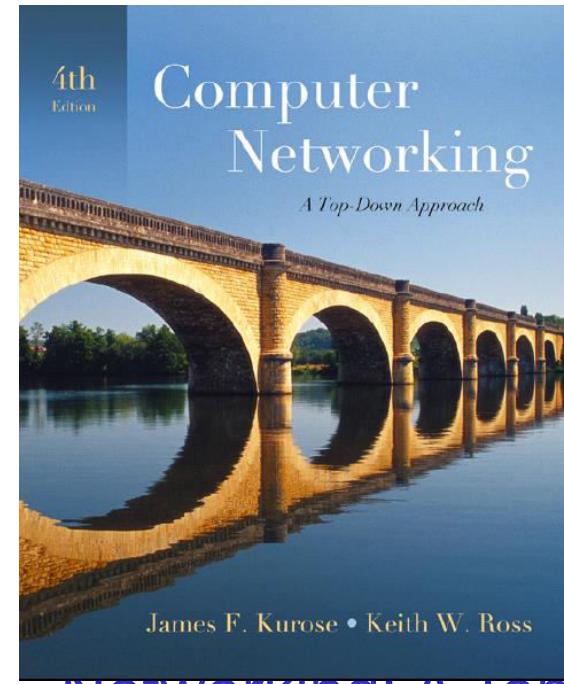


# Chapter 5

## Link Layer and LANs

RAČUNARSKE MREŽE I WEB  
PROGRAMIRANJE  
IV- GODINA

prof. dr Zlatko Langović



Networking: A top  
Down Approach  
4<sup>th</sup> edition.  
Jim Kurose, Keith  
Ross  
Addison-Wesley,  
July 2007.

# Slotted ALOHA

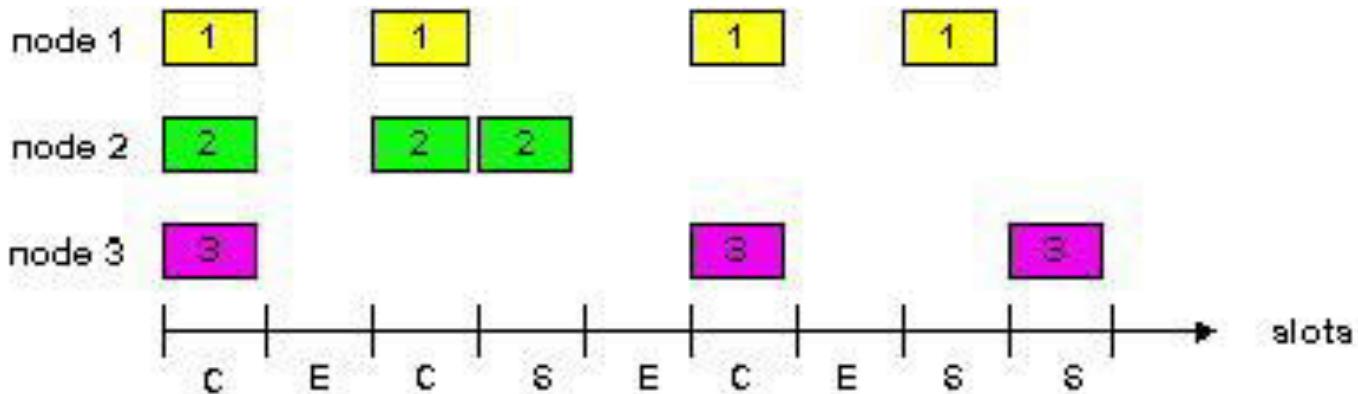
## Assumptions:

- ❖ all frames same size
- ❖ time divided into equal size slots (time to transmit 1 frame)
- ❖ nodes start to transmit only slot beginning
- ❖ nodes are synchronized
- ❖ if 2 or more nodes transmit in slot, all nodes detect collision

## Operation:

- ❖ when node obtains fresh frame, transmits in next slot
  - *if no collision:* node can send new frame in next slot
  - *if collision:* node retransmits frame in each subsequent slot with prob. p until success

# Slotted ALOHA



## Pros

- ❖ single active node can continuously transmit at full rate of channel
- ❖ highly decentralized: only slots in nodes need to be in sync
- ❖ simple

## Cons

- ❖ collisions, wasting slots
- ❖ idle slots
- ❖ nodes may be able to detect collision in less than time to transmit packet
- ❖ clock synchronization

# Slotted Aloha efficiency

**Efficiency** : long-run fraction of successful slots  
(many nodes, all with many frames to send)

- ❖ suppose:  $N$  nodes with many frames to send, each transmits in slot with probability  $p$
- ❖ prob that given node has success in a slot =  $p(1-p)^{N-1}$
- ❖ prob that *any* node has a success =  $Np(1-p)^{N-1}$

- ❖ max efficiency: find  $p^*$  that maximizes  $Np(1-p)^{N-1}$
- ❖ for many nodes, take limit of  $Np^*(1-p^*)^{N-1}$  as  $N$  goes to infinity, gives:

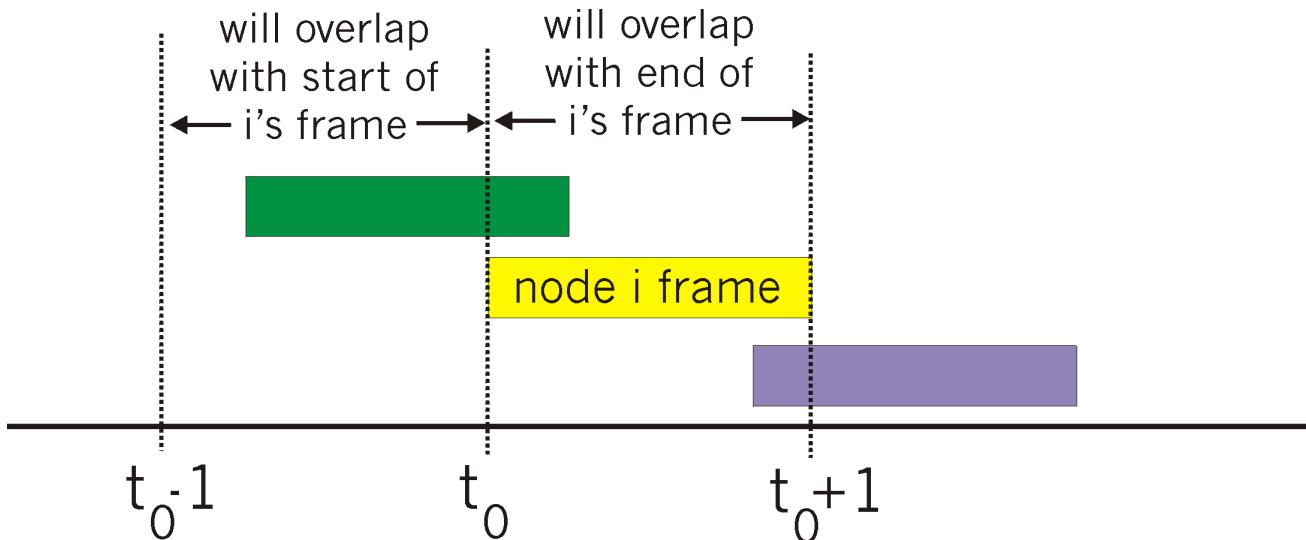
$$\text{Max efficiency} = 1/e = .37$$

**At best:** channel used for useful transmissions 37% of time!

!

# Pure (unslotted) ALOHA

- ❖ unslotted Aloha: simpler, no synchronization
- ❖ when frame first arrives
  - transmit immediately
- ❖ collision probability increases:
  - frame sent at  $t_0$  collides with other frames sent in  $[t_0-1, t_0+1]$



# Summary of MAC protocols

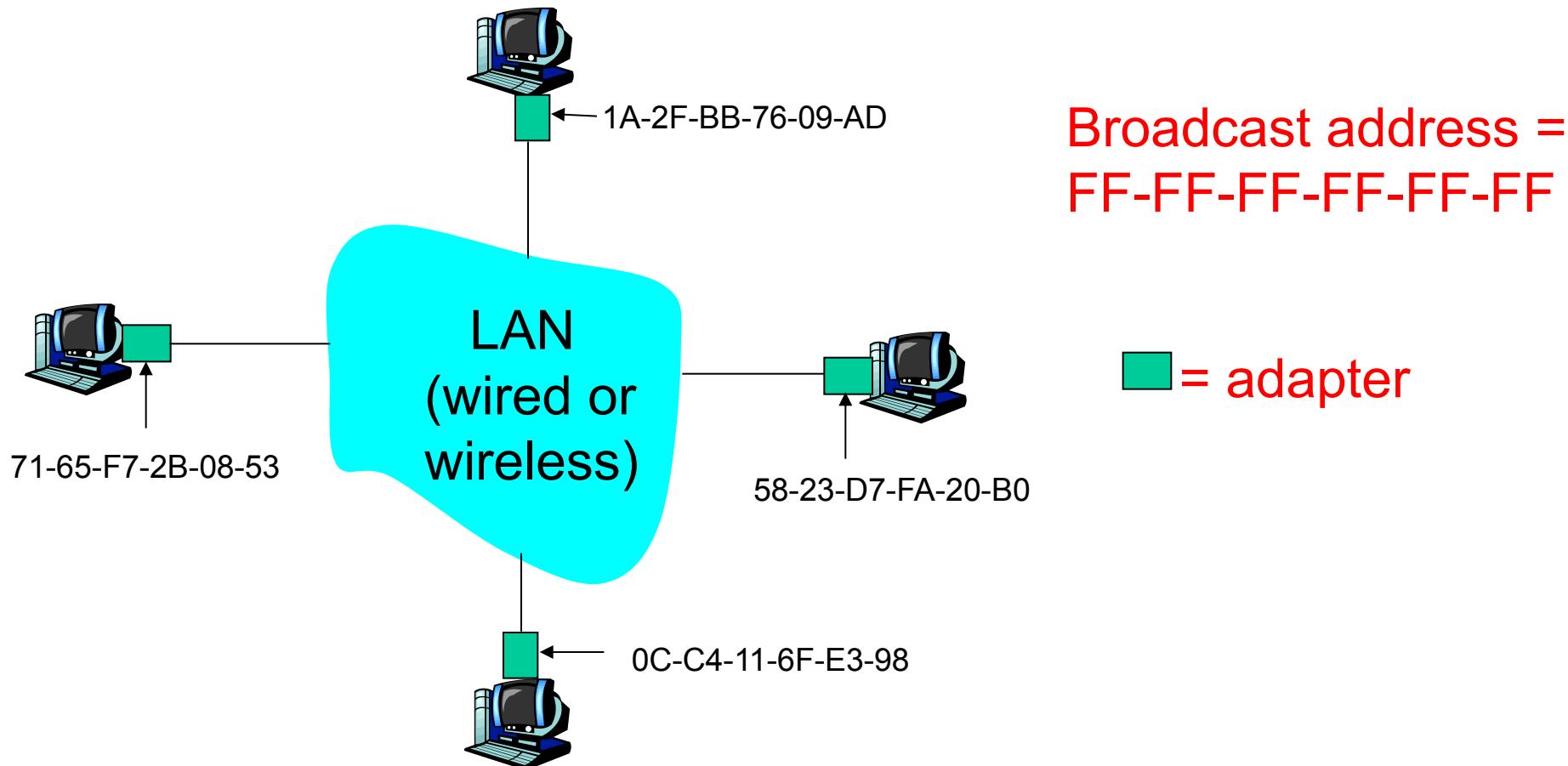
- ❖ *channel partitioning*, by time, frequency or code
  - Time Division, Frequency Division
- ❖ *random access* (dynamic),
  - ALOHA, S-ALOHA, CSMA, CSMA/CD
  - carrier sensing: easy in some technologies (wire), hard in others (wireless)
  - CSMA/CD used in Ethernet
  - CSMA/CA used in 802.11
- ❖ *taking turns*
  - polling from central site, token passing
  - Bluetooth, FDDI, IBM Token Ring

# MAC Addresses and ARP

- ❖ 32-bit IP address:
  - *network-layer address*
  - used to get datagram to destination IP subnet
- ❖ MAC (or LAN or physical or Ethernet) address:
  - function: *get frame from one interface to another physically-connected interface (same network)*
  - 48 bit MAC address (for most LANs)
    - burned in NIC ROM, also sometimes software settable

# LAN Addresses and ARP

Each adapter on LAN has unique LAN address

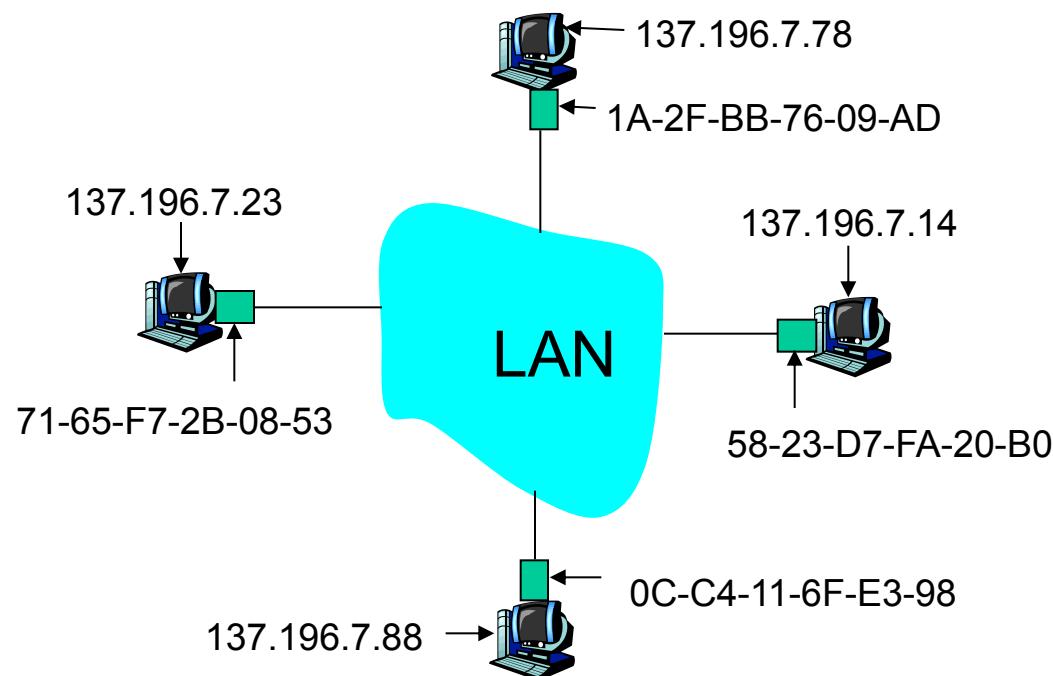


# LAN Address (more)

- ❖ MAC address allocation administered by IEEE
- ❖ manufacturer buys portion of MAC address space (to assure uniqueness)
- ❖ analogy:
  - (a) MAC address: like Social Security Number
  - (b) IP address: like postal address
- ❖ MAC flat address → portability
  - can move LAN card from one LAN to another
- ❖ IP hierarchical address NOT portable
  - address depends on IP subnet to which node is attached

# ARP: Address Resolution Protocol

Question: how to determine MAC address of B knowing B's IP address?



- ❖ Each IP node (host, router) on LAN has **ARP** table
- ❖ ARP table: IP/MAC address mappings for some LAN nodes
  - < IP address; MAC address; TTL >
    - TTL (Time To Live): time after which address mapping will be forgotten (typically 20 min)

# ARP protocol: Same LAN (network)

- ❖ A wants to send datagram to B, and B's MAC address not in A's ARP table.
- ❖ A **broadcasts** ARP query packet, containing B's IP address
  - dest MAC address = FF-FF-FF-FF-FF-FF
  - all machines on LAN receive ARP query
- ❖ B receives ARP packet, replies to A with its (B's) MAC address
  - frame sent to A's MAC address (unicast)
- ❖ A caches (saves) IP-to-MAC address pair in its ARP table until information becomes old (times out)
  - soft state: information that times out (goes away) unless refreshed
- ❖ ARP is “plug-and-play”:
  - nodes create their ARP tables *without intervention from net administrator*

# Zadaci

13. U odeljku 5.3 definisali smo ALOHE protokol sa odsečcima.

- Ako je  $N$  aktivnih čvorova, efikasnost ALOHE sa odsečcima je dat izrazom  $Np(1-p)N-1$ . pronađite vrednost  $p$  koja daje maksimalnu vrednost datog izraza.
- Koristeći vrednost  $p$  pronađenu u delu pod a., pronađite efikasnost ALOHE sa odsečcima ako  $N$  teži beskonačnosti.  $((1-1/N) \rightarrow 1/e)$  kada  $N$  teži beskonačnosti.)

a) Možemo napisati sledeći brojevni izraz odnosno funkciju. Naći prvi izvod date funkcije.

$$E(p) = Np(1-p)^{N-1} \quad (1)$$

$$E'(p) = N(1-p)^{N-1} - Np(N-1)(1-p)^{N-2}$$

$$= N(1-p)^{N-2}[(1-p) - p(N-1)]$$

$$E'(p) = 0 \Rightarrow (1-p) - p(N-1) = 0 \Rightarrow p_{\max} = \frac{1}{N}$$

b) Zamenjujući vrednost promenljive  $p$  sa  $p_{\max}$  u funkciji (1) možemo napisati:

$$E(p_{\max}) = N \frac{1}{N} \left(1 - \frac{1}{N}\right)^{N-1} = \left(1 - \frac{1}{N}\right)^{N-1} = \frac{\left(1 - \frac{1}{N}\right)^N}{1 - \frac{1}{N}} \Rightarrow \lim_{N \rightarrow \infty} \frac{\left(1 - \frac{1}{N}\right)^N}{1 - \frac{1}{N}} \text{ na osnovu datog}$$

izraza slike sledeće jednakosti:

$$\lim_{N \rightarrow \infty} \left(1 - \frac{1}{N}\right) = 1 \quad \lim_{N \rightarrow \infty} \left(1 - \frac{1}{N}\right)^N = \frac{1}{e}$$

Na kraju dobijamo rešenje:

$$\lim_{N \rightarrow \infty} E(p_{\max}) = \frac{1}{e}$$

14. Pokažite da je efikasnost čiste ALOHE jednaka  $1/(2e)$ .

$$E(p) = Np(1-p)^{2(N-1)} \quad (1)$$

Izvod date funkcije po promenljivoj p.

$$\begin{aligned} E'(p) &= N(1-p)^{2(N-2)} - Np2(N-1)(1-p)^{2(N-3)} \\ &= N(1-p)^{2(N-3)}[(1-p) - p2(N-1)] \end{aligned}$$

$$E'(p) = 0 \Rightarrow (1-p) - p2(N-1) = 0 \Rightarrow p_{\max} = \frac{1}{2N-1}$$

Zamenjujući vrednost promenljive p sa  $p_{\max}$  u datoј funkciji (1), možemo napisati:

$$E(p_{\max}) = \frac{N}{2N-1} \left(1 - \frac{1}{2N-1}\right)^{2(N-1)}$$

Na kraju dobijamo brojevni izraz koji definiše rezultat:

$$\lim_{N \rightarrow \infty} E(p_{\max}) = \frac{1}{2} \cdot \frac{1}{e} = \frac{1}{2e}$$

15. Razmotrite tri LAN-a međusobno povezana pomoću dva rutera.

- Dodelite IP adresu svim interfejsima. Za LAN-1 koristite adrese u obliku 111.111.111.xxx; za LAN- 2 koristite adrese u obliku 122.222.222.xxx;
- Dodelite MAC adrese svim adapterima.

